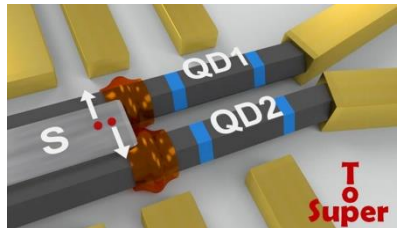


High Mobility Free-Standing InSb Nanoflags for Quantum Technologies

Stefan Heun

NEST, Istituto Nanoscienze-CNR and Scuola Normale Superiore, Piazza San Silvestro, Pisa, Italy

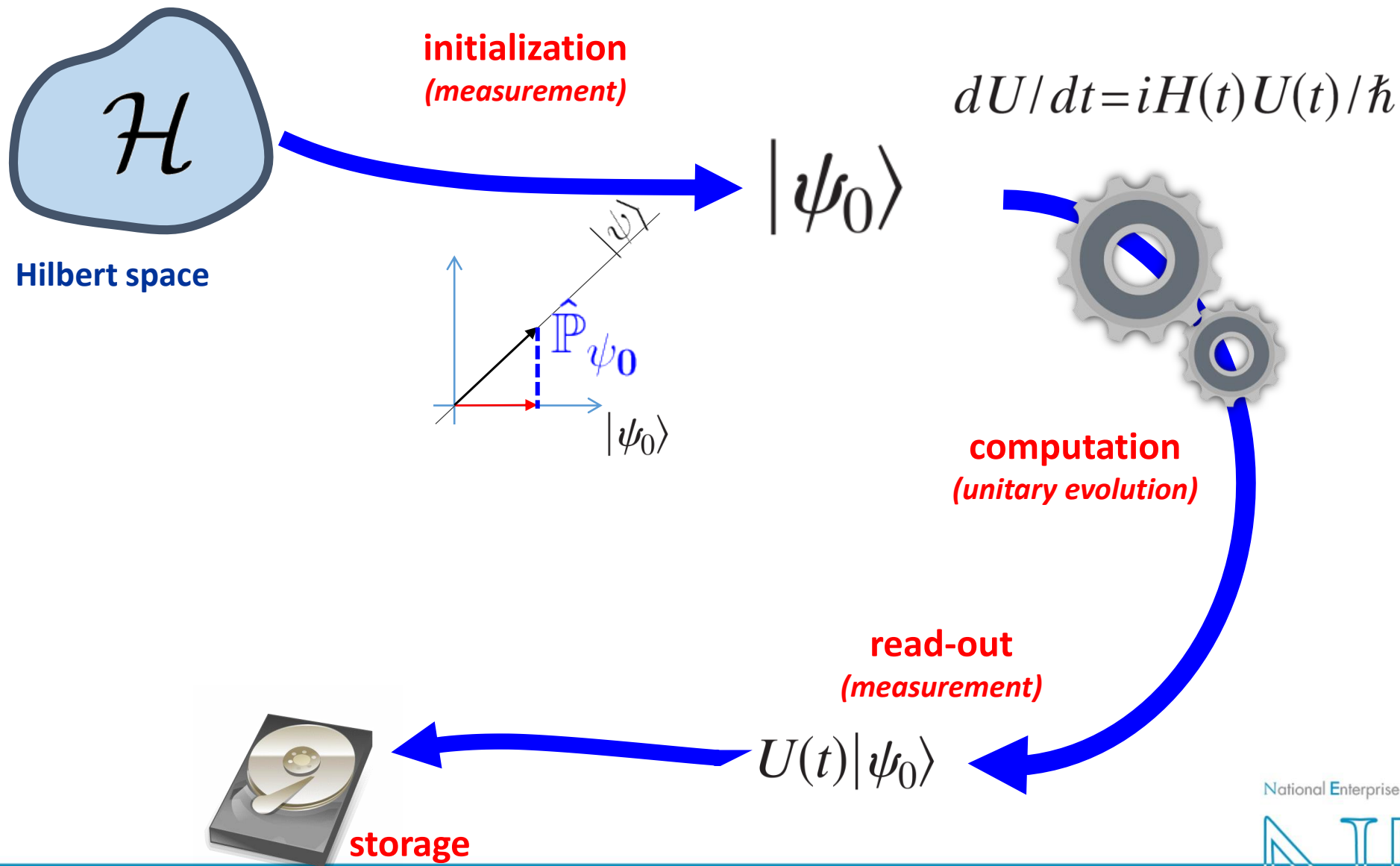


AndQC

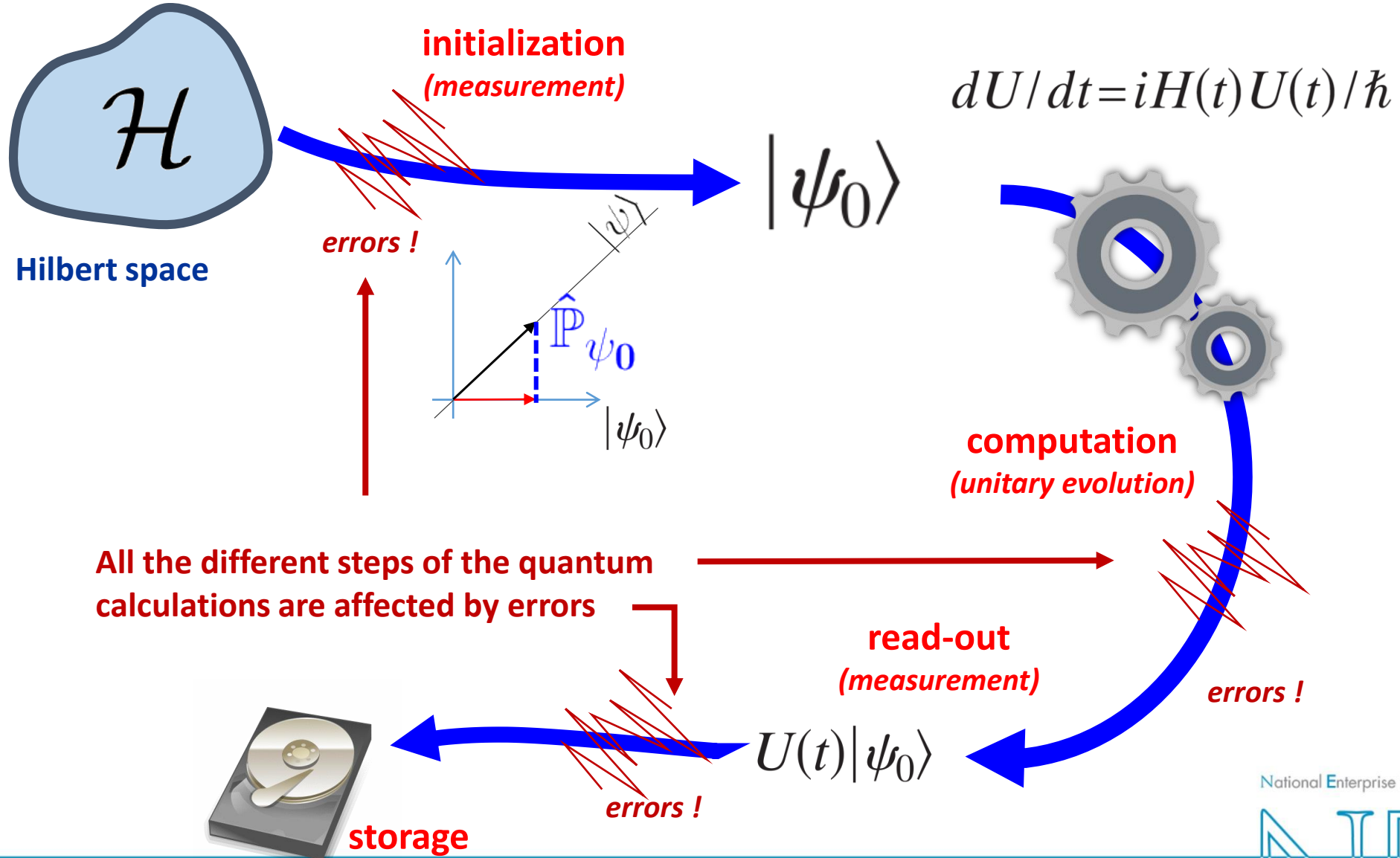
National Enterprise for nanoScience and nanoTechnology

NEST

The road to quantum computing



The road to quantum computing



NEWS IN FOCUS

New states of Matter:

PHYSICS

Nobel for 2D exotic matter

Physics award goes to theorists who used topology to explain strange phenomena.

BY ELIZABETH GIBNEY AND
DAVIDE CASTELVECCHI

David Thouless, Duncan Haldane and Michael Kosterlitz have won the 2016 Nobel Prize in Physics for their theoretical explanations of strange states of matter in 2D materials, known as topological phases. The British-born trio's work in the 1970s and 1980s laid the foundations for predicting and explaining bizarre behaviours that experimentalists discovered at the surfaces of materials, and inside extremely thin layers. These include superconductivity — the ability to conduct without resistance — and magnetism in very thin materials. At the time, these mathematical theories were quite abstract, said Haldane in an



Physics prizewinners Michael Kost

Nature 538 (2016) 18

PERSPECTIVE

PUBLISHED ONLINE: 25 OCTOBER 2017 | DOI: 10.1038/NMAT5012

nature
materials

Topological states of condensed matter

Jing Wang^{1,2*} and Shou-Cheng Zhang^{3*}

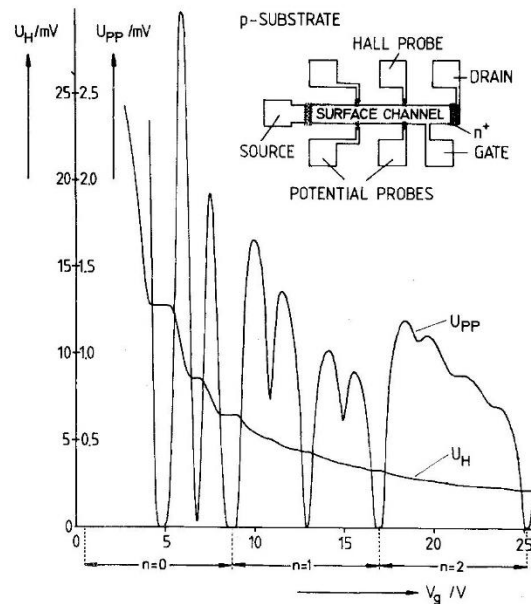
Topological states of quantum matter have been investigated intensively in recent years in materials science and condensed matter physics. The field developed explosively largely because of the precise theoretical predictions, well-controlled materials processing, and novel characterization techniques. In this Perspective, we review recent progress in topological insulators, the quantum anomalous Hall effect, chiral topological superconductors, helical topological superconductors and Weyl semimetals.

Nat. Mater. 16 (2017) 1062

New Method for High-Accuracy Determination of the Fine-Structure Constant Based on Quantized Hall Resistance

K. v. Klitzing

Physikalisches Institut der Universität Würzburg, D-8700 Würzburg, Federal Republic of Germany, and Hochfeld-Magnetlabor des Max-Planck-Instituts für Festkörperforschung, F-38042 Grenoble, France



K. v. Klitzing et al., PRL 45 (1980) 494.

Absence of backscattering in the quantum Hall effect in multiprobe conductors

M. Büttiker

IBM Thomas J. Watson Research Center, P.O. Box 218, Yorktown Heights, New York 10598

(Received 21 March 1988)

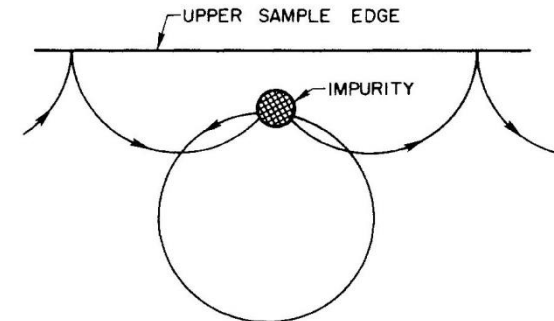


FIG. 4. Quasiclassical skipping orbits along the upper edge of the sample in presence of a localized impurity. In a high magnetic field backscattering over distances large compared to the cyclotron radius is suppressed.

M. Büttiker, PRB 38 (1988) 9375.

REVIEW

Topological Quantum Computation—From Basic Concepts to First Experiments

Ady Stern^{1*} and Netanel H. Lindner^{2,3}

Quantum computation requires controlled engineering of quantum states to perform tasks that go beyond those possible with classical computers. Topological quantum computation aims to achieve this goal by using non-Abelian quantum phases of matter. Such phases allow for quantum information to be stored and manipulated in a nonlocal manner, which protects it from imperfections in the implemented protocols and from interactions with the environment. Recently, substantial progress in this field has been made on both theoretical and experimental fronts. We review the basic concepts of non-Abelian phases and their topologically protected use in quantum information processing tasks. We discuss different possible realizations of these concepts in experimentally available solid-state systems, including systems hosting Majorana fermions, their recently proposed fractional counterparts, and non-Abelian quantum Hall states.

The principal obstacles on the road to quantum computing are noise and decoherence. By noise, we mean imperfections in the execution of the operations on the qubits (quantum bits). Decoherence arises when the quantum system that encodes the qubits becomes

entangled with its environment, which is a bigger, uncontrolled system. There are two approaches to tackling these barriers. One is based on complete isolation of the computer from its environment, careful elimination of noise, and protocols for quantum correction of unavoidable errors. Enormous progress has been achieved in this direction in the past few years. The other approach, which is at the root of topological quantum computation, is very different. It uses a non-Abelian state of matter ($1-10$) to encode and manipulate quantum information in a nonlocal manner. This nonlocality endows the information with immunity to the effects of noise and decoherence ($2-6$).

Non-Abelian States of Matter

Several properties define a non-Abelian state of matter ($1, 2, 6-10$). It is a quantum system whose

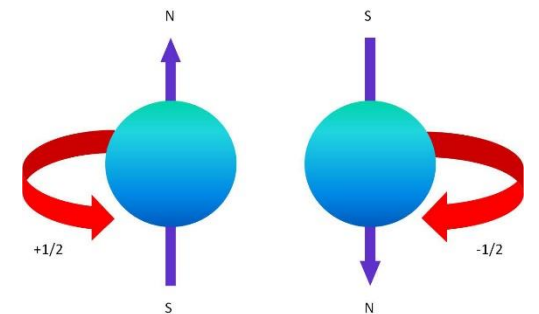
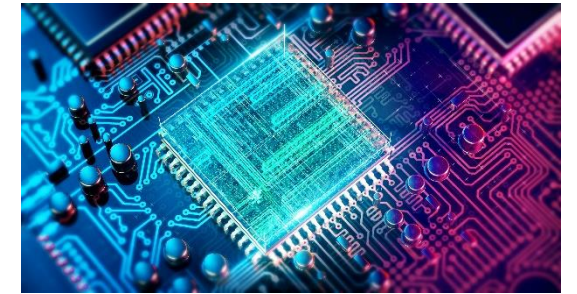
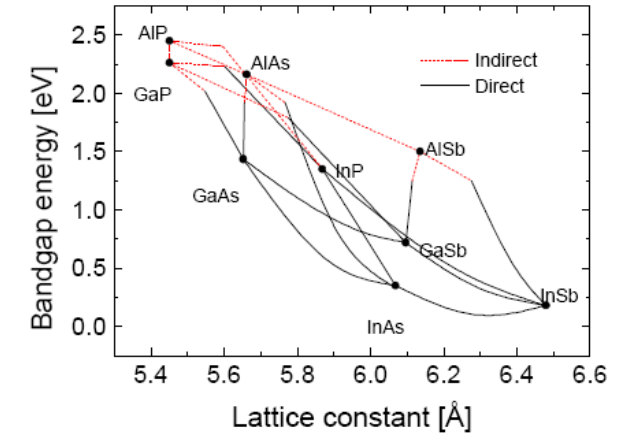
¹Department of Condensed Matter Physics, Weizmann Institute of Science, Rehovot 76100, Israel. ²Institute of Quantum Information and Matter, California Institute of Technology, Pasadena, CA 91125, USA. ³Department of Physics, California Institute of Technology, Pasadena, CA 91125, USA.

*To whom correspondence should be addressed. E-mail: adiel.stern@weizmann.ac.il

Why InSb?

InSb Heterostructures:

- Narrow bandgap (0.23 eV) \longrightarrow mid-infrared optoelectronic devices.
- High bulk electron mobility ($7.7 \times 10^4 \text{ cm}^2/(\text{Vs})$), small effective mass ($0.018 m_e$) \longrightarrow high-speed and low-power electronic devices.
- Strong spin-orbit interaction, large Landé g-factor (~ 50) \longrightarrow spintronics and topological quantum computing.



Why 2D InSb?

Problem:

- Nanowire morphology limits device design flexibility.

Solution:

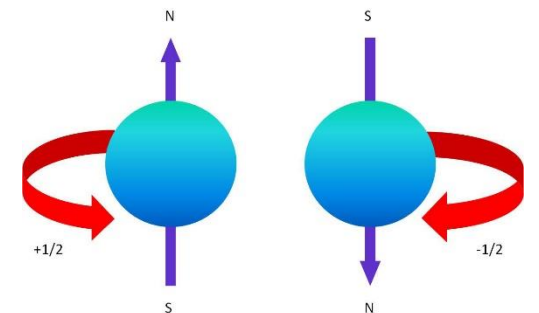
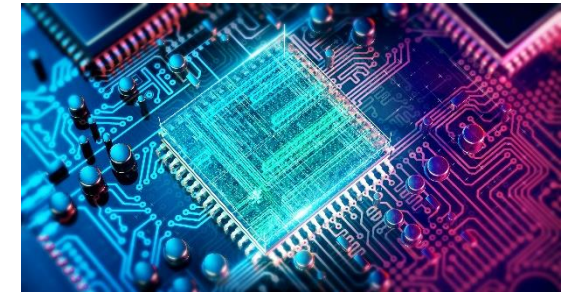
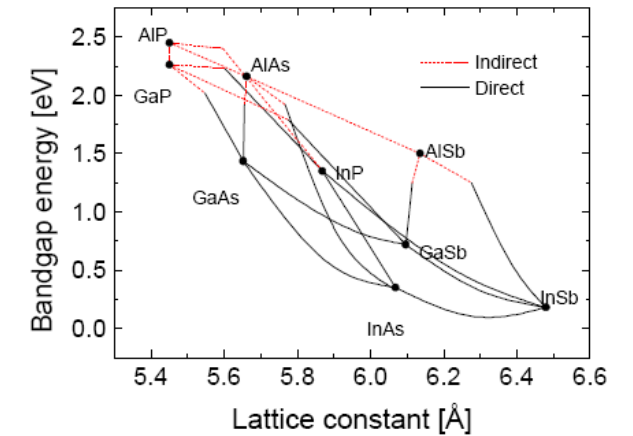
- Epitaxial growth of InSb in the form of 2D-layers.

Challenges:

- Large lattice mismatch with common semiconductor substrates.

Solution:

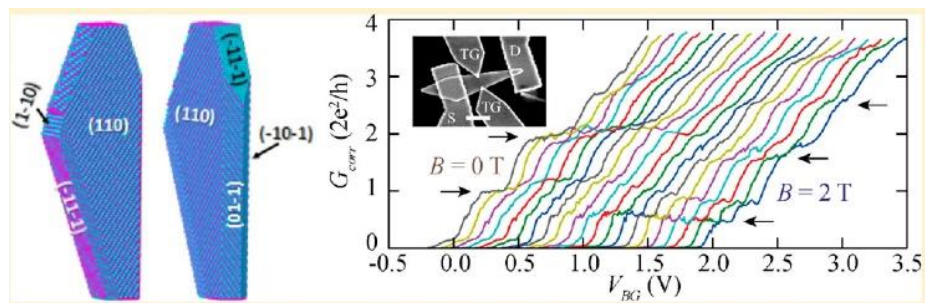
- 2D InSb nanoflags on nanowire stem (efficient strain relaxation).



2D InSb nanoflags (NFs)

Twin-Induced InSb Nanosails: A Convenient High Mobility Quantum System

María de la Mata,[†] Renaud Leturcq,^{*,‡,§} Sébastien R. Plissard,^{||} Chloé Rolland,[‡] César Magén,[⊥] Jordi Arbiol,^{*,†,#} and Philippe Caroff^{*,†,¶}

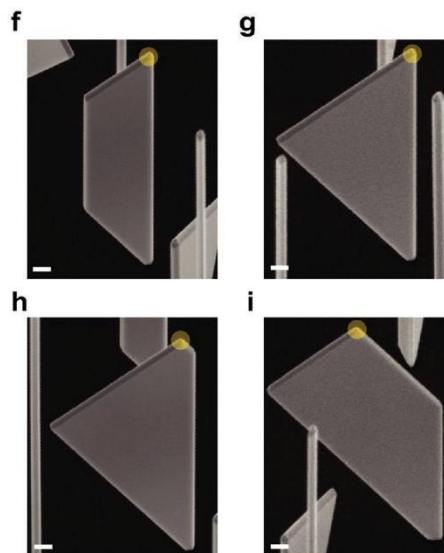


Nano Lett. 16 (2016) 825

Bottom-Up Grown 2D InSb Nanostructures

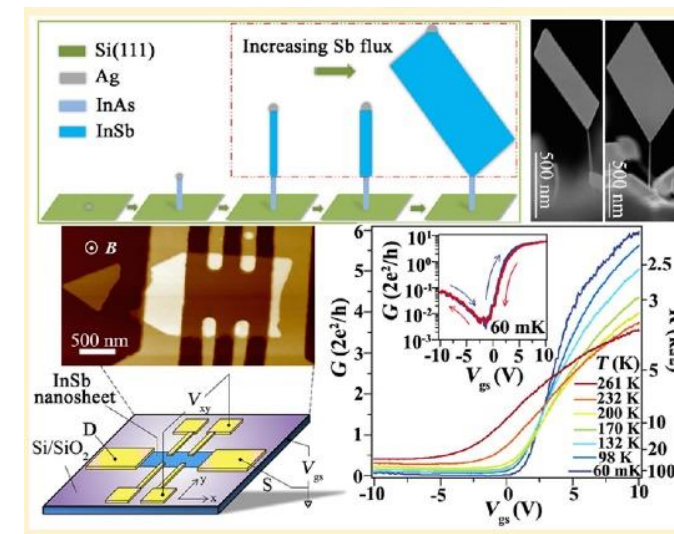
Sasa Gazibegovic,^{*} Ghada Badawy,^{*} Thijs L. J. Buckers, Philipp Leubner, Jie Shen, Folkert K. de Vries, Sebastian Koelling, Leo P. Kouwenhoven, Marcel A. Verheijen, and Erik P. A. M. Bakkers

Adv. Mater. 31 (2019) 1808181



Free-Standing Two-Dimensional Single-Crystalline InSb Nanosheets

D. Pan,[†] D. X. Fan,[‡] N. Kang,[‡] J. H. Zhi,[‡] X. Z. Yu,[†] H. Q. Xu,^{*,‡} and J. H. Zhao^{*,†}

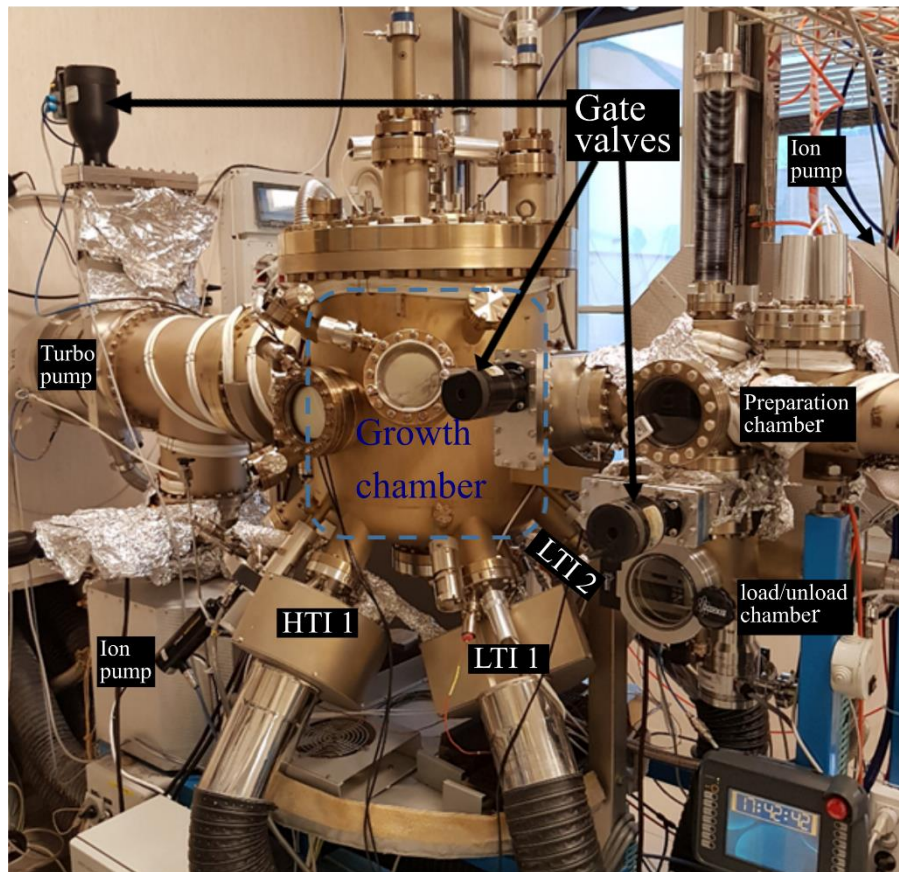


Nano Lett. 16 (2016) 834

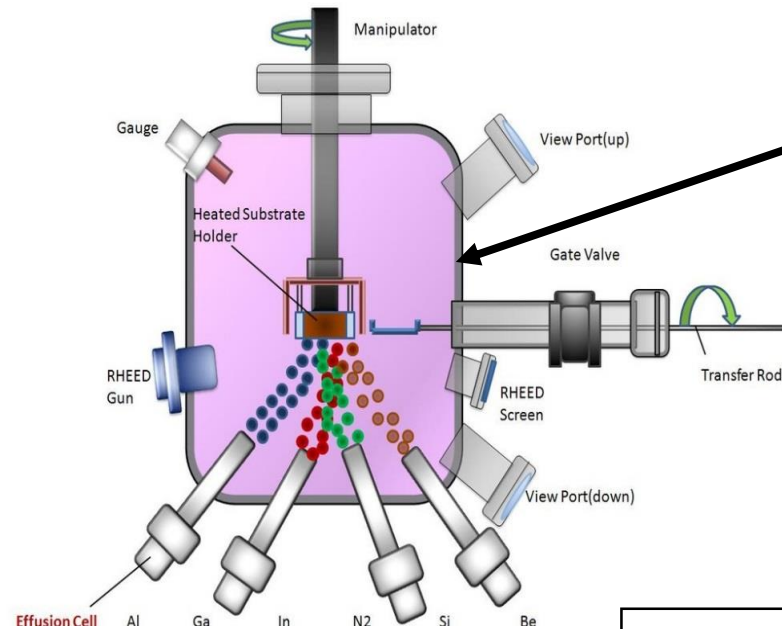
Chemical Beam Epitaxy (CBE)

CBE system at NEST lab

Riber Compact-21 CBE for the growth of III-V NWs



Schematic of CBE



Ultra High Vacuum (UHV) growth chamber
(base pressure: 10^{-9} Torr)

Metal-organic precursors
Group III : TMIn, TEGa, TMAI
Group V : TBAs, TBP, TDMASb,
TMSb
n-doping : TBSe

Advantages of CBE system
Direct control of fluxes
Monolayer thickness control
Abrupt interfaces
Good control of composition and doping profiles

Growth activity



Isha Verma



Valentina Zannier



Daniele Ercolani



Lucia Sorba



Fabio Beltram

Devices & Transport



Sedighe Salimian

Theory



Matteo Carrega

TEM Characterization



Francesca Rossi



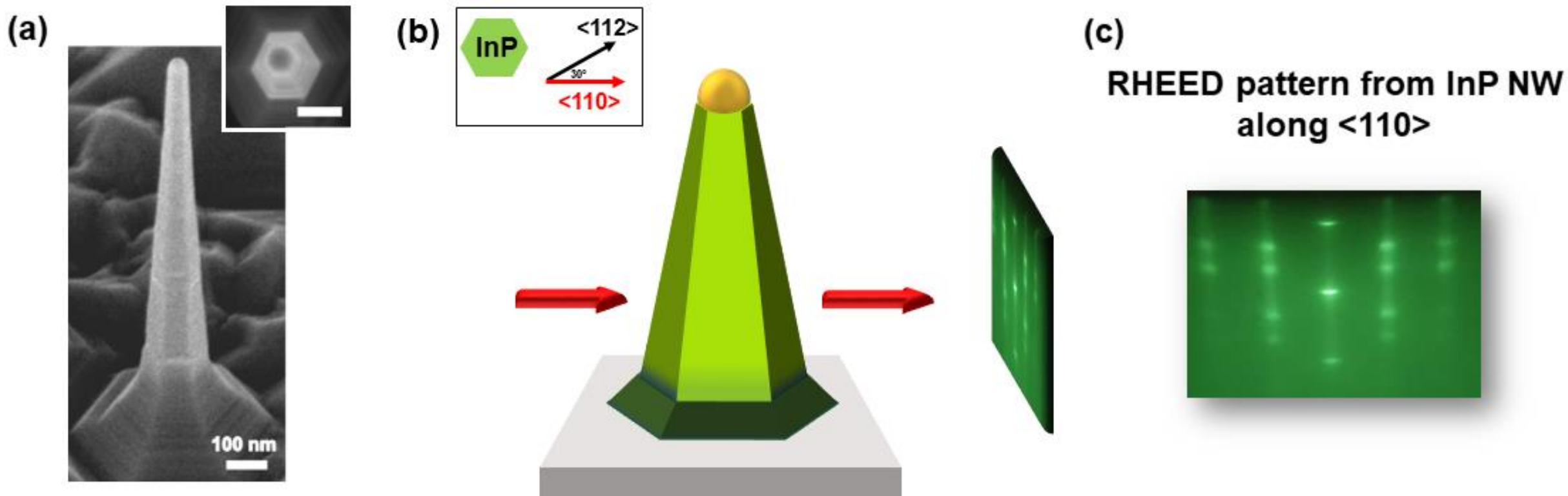
Numerical Simulations



Michal P. Nowak



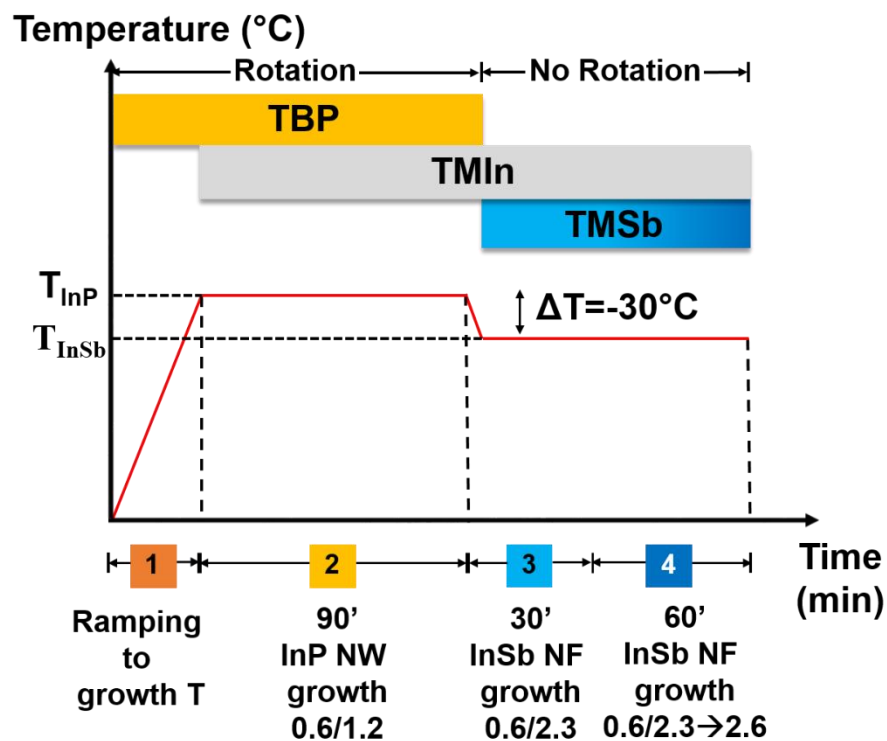
Alignment of InP NWs for growth of InSb NFs



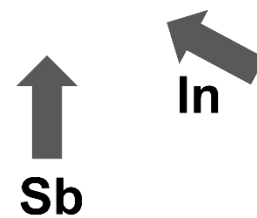
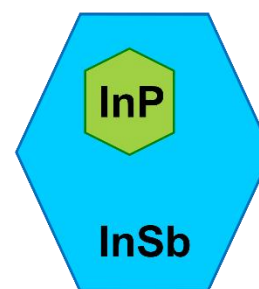
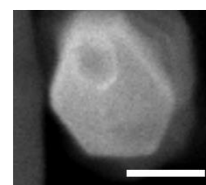
InP NW grown on InP(111)B

Growth of InSb nanoflags

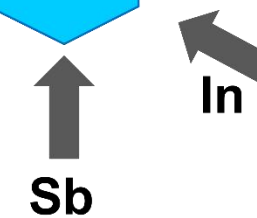
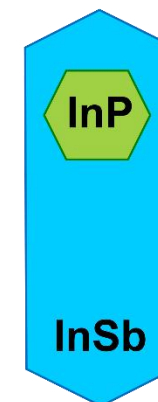
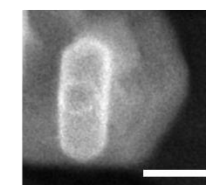
(a)



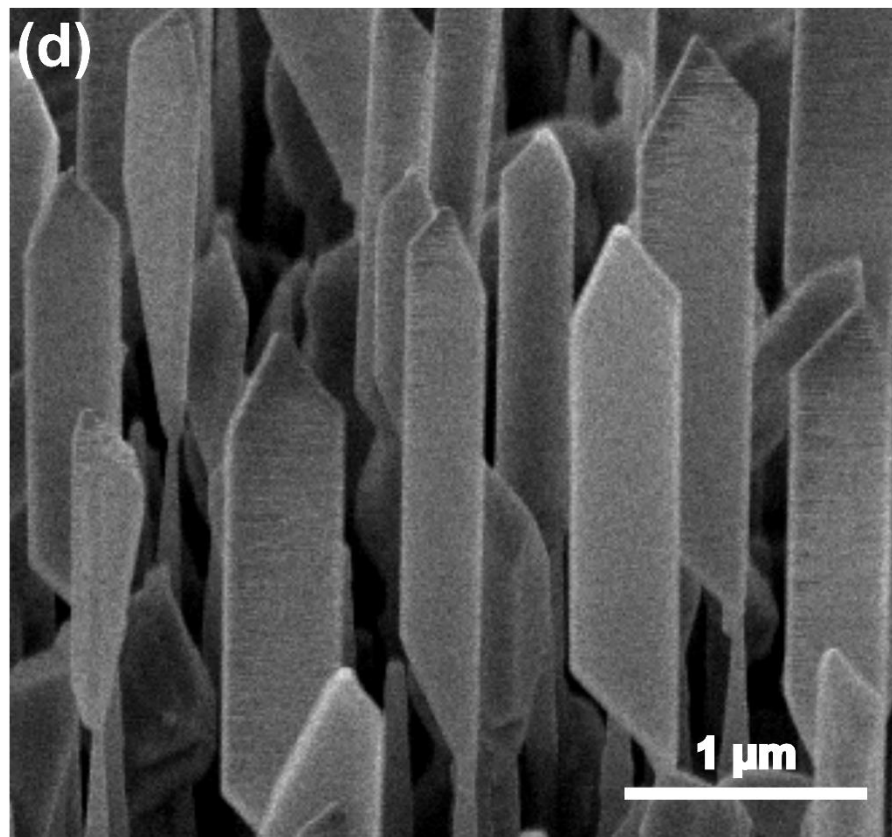
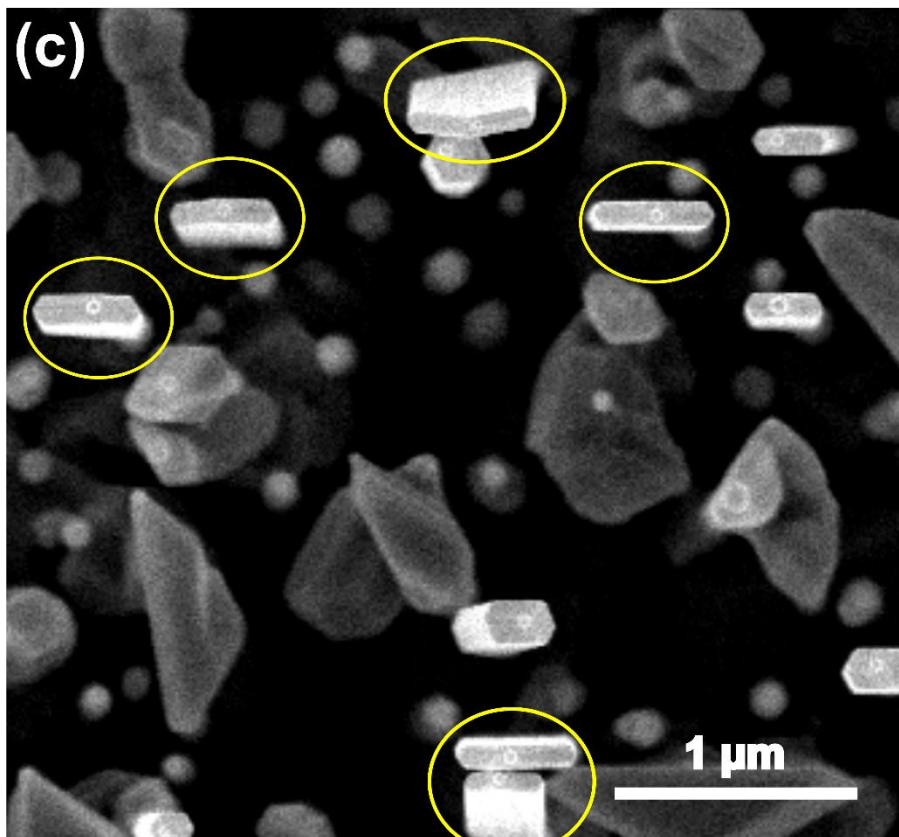
(b) Configuration A
Sb beam \perp to {110}
projection



Configuration B
Sb beam \perp to {112}
projection



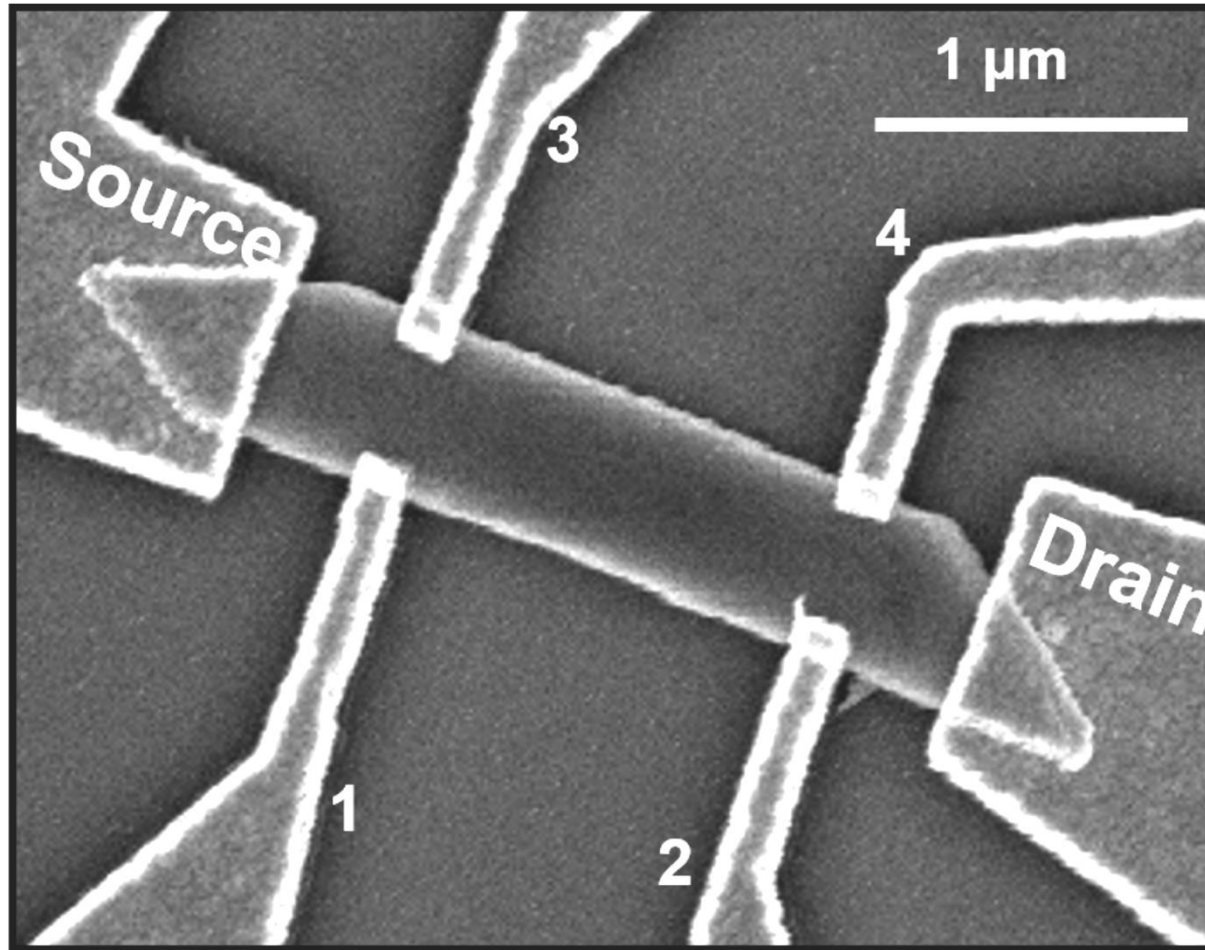
Growth of InSb nanoflags



Defect-free InSb
zinc blende
lattice

InSb nanoflags:
Length 2.8 μm
Width 470 nm
Thickness 105 nm

SEM of InSb NF Hall-bar device



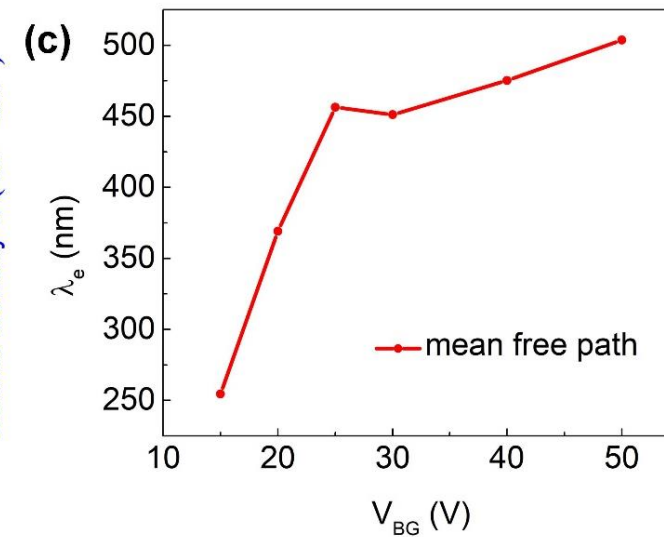
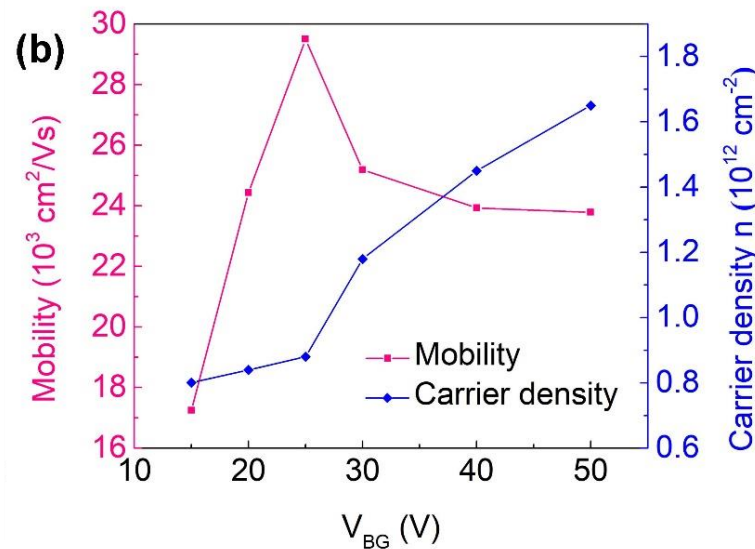
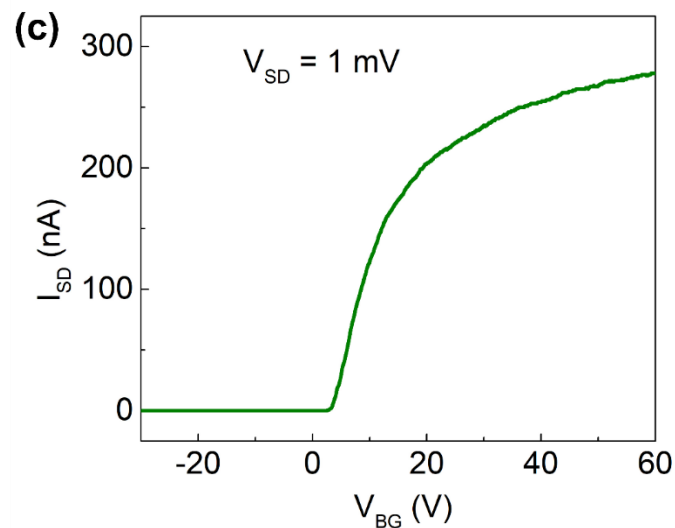
$L = 1.5 \mu\text{m}$

$W = 325 \text{ nm}$

$d = 100 \text{ nm}$

10 nm Ti/190 nm Au
Substrate: Si/SiO₂

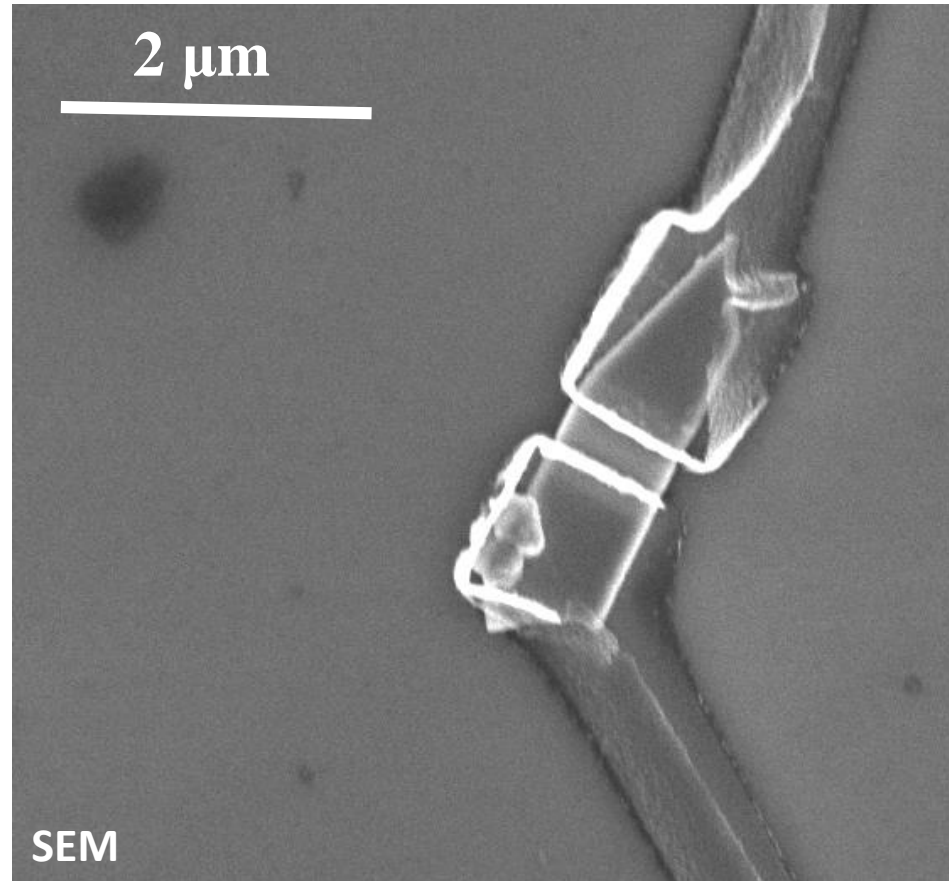
InSb Electron Mobility



Field-effect mobility $28000 \text{ cm}^2/\text{Vs}$
Nanoflags are n-type

Hall mobility: $29500 \text{ cm}^2/\text{Vs}$ @ 4.2 K
At $n = 8.5 \times 10^{11} \text{ cm}^{-2}$
Mean free path $\lambda_e \sim 500 \text{ nm}$

Nb/Ti-InSb Nanoflag-based JJs



10 nm Ti/150 nm Nb
Substrate: Si/SiO₂

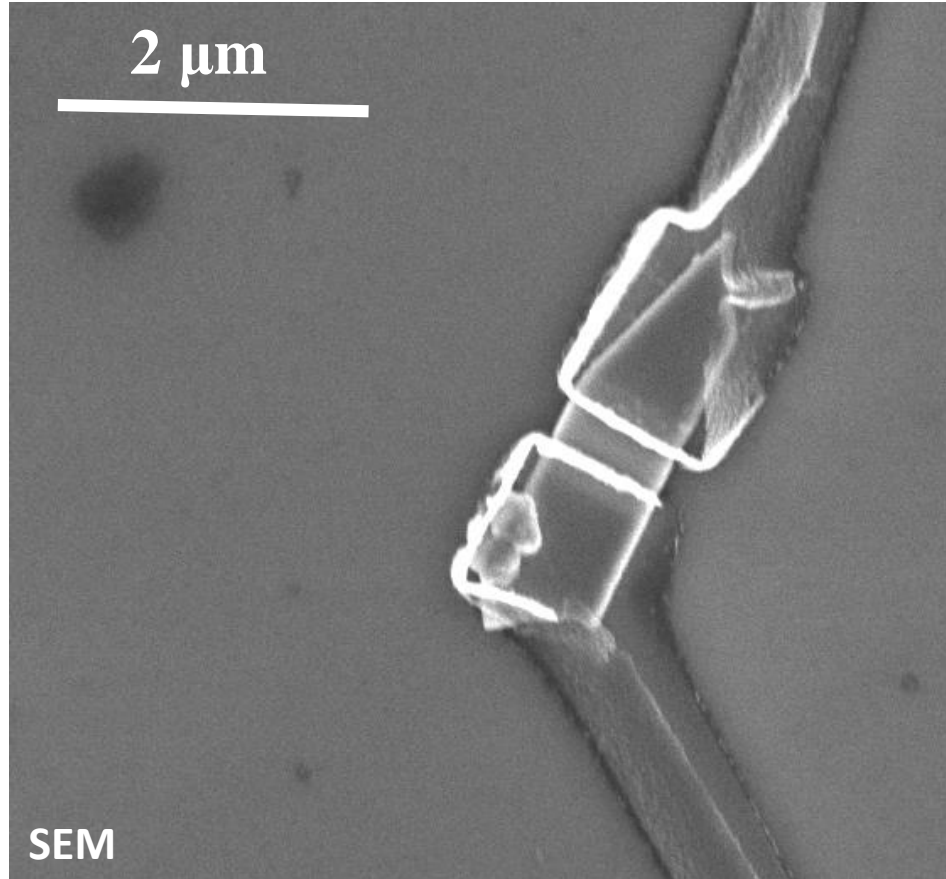
$L = 200$ nm

$W = 700$ nm

$d = 100$ nm

Ballistic regime! Mean free path $\lambda_e >$ length L of the junction, $\lambda_e > L$.

Nb/Ti-InSb Nanoflag-based JJs



10 nm Ti/150 nm Nb
Substrate: Si/SiO₂

$L = 200$ nm

$W = 700$ nm

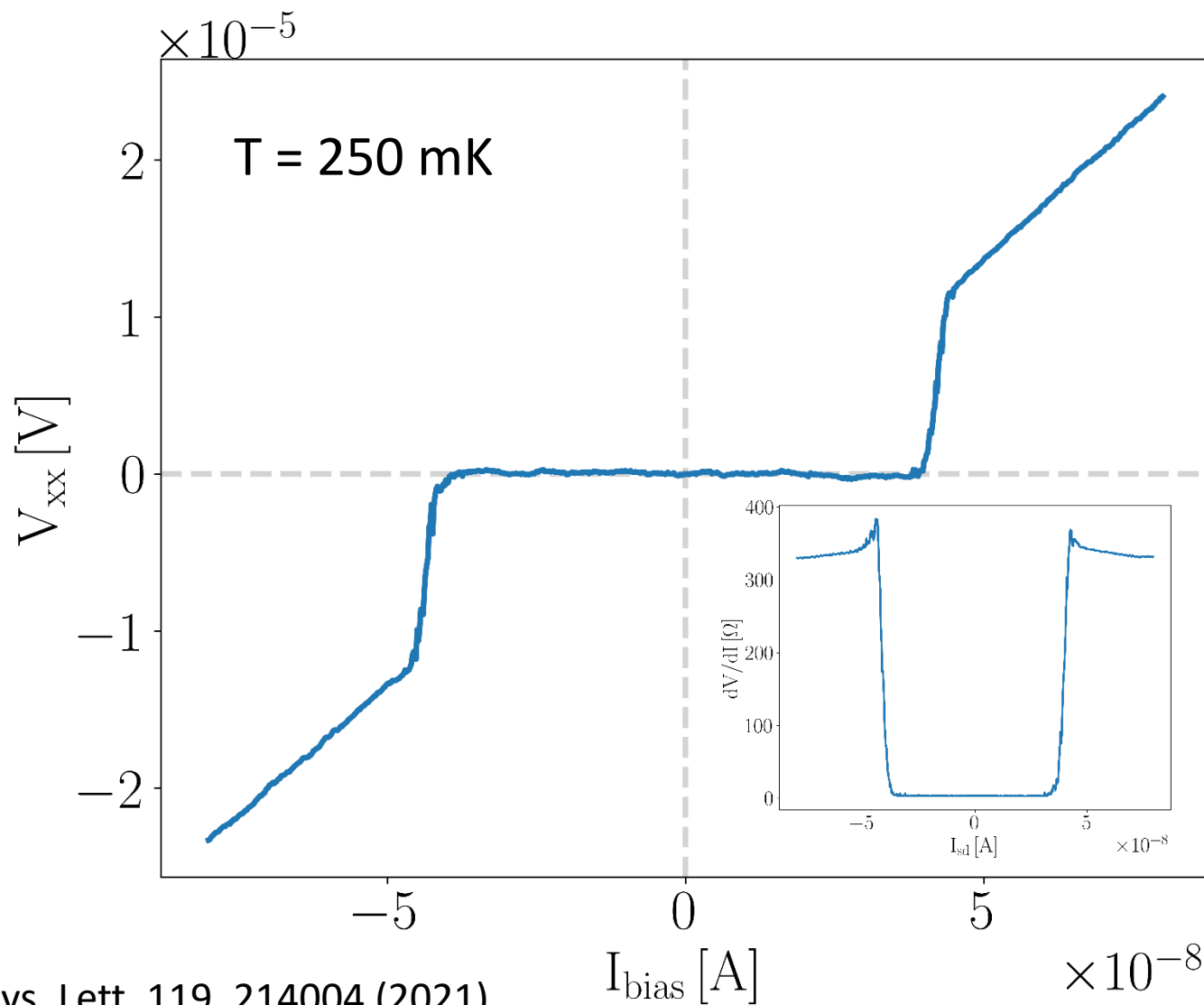
$d = 100$ nm

$T_c = 8.44$ K

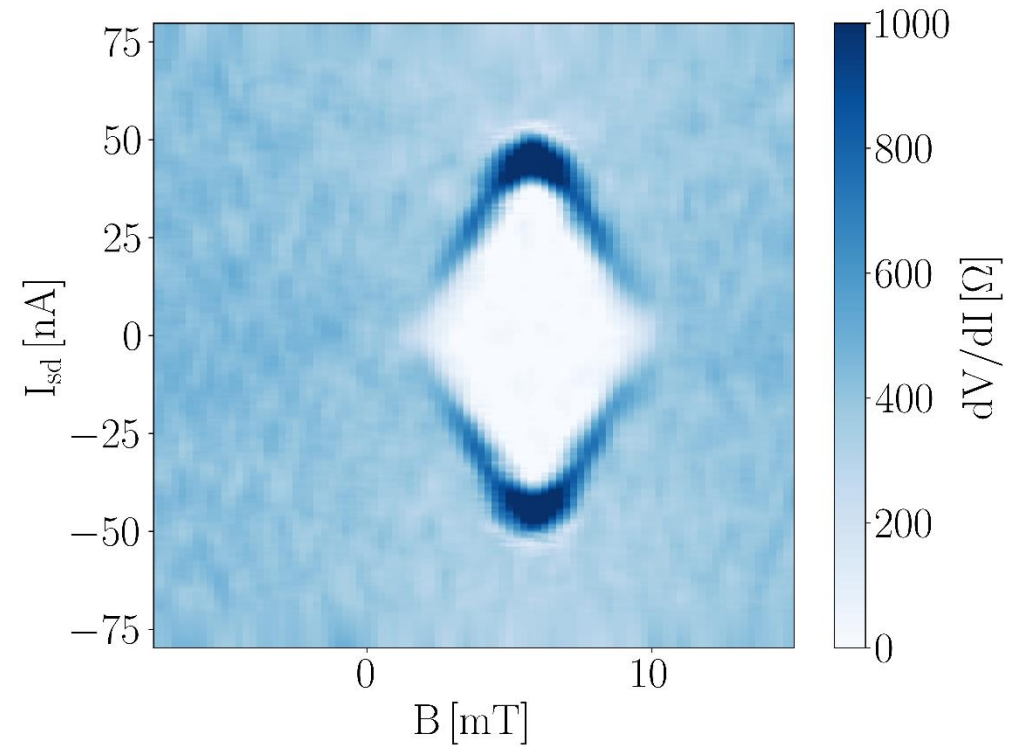
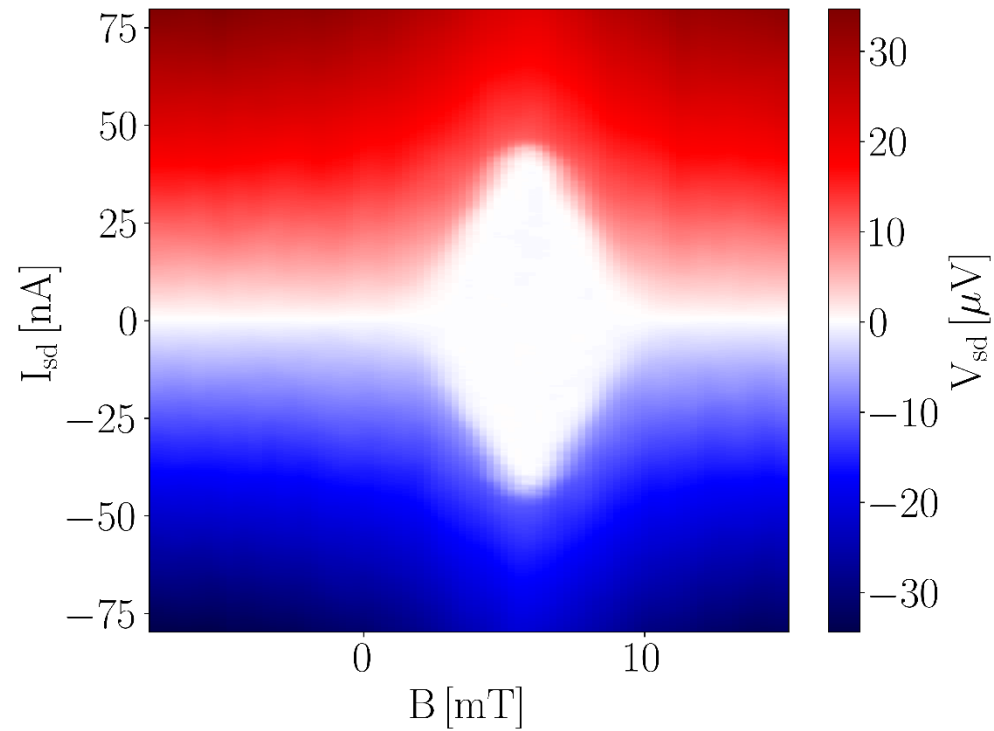
$\Delta = 1.76 k_B T_c = 1.28$ meV

Ballistic regime! Mean free path $\lambda_e >$ length L of the junction, $\lambda_e > L$.

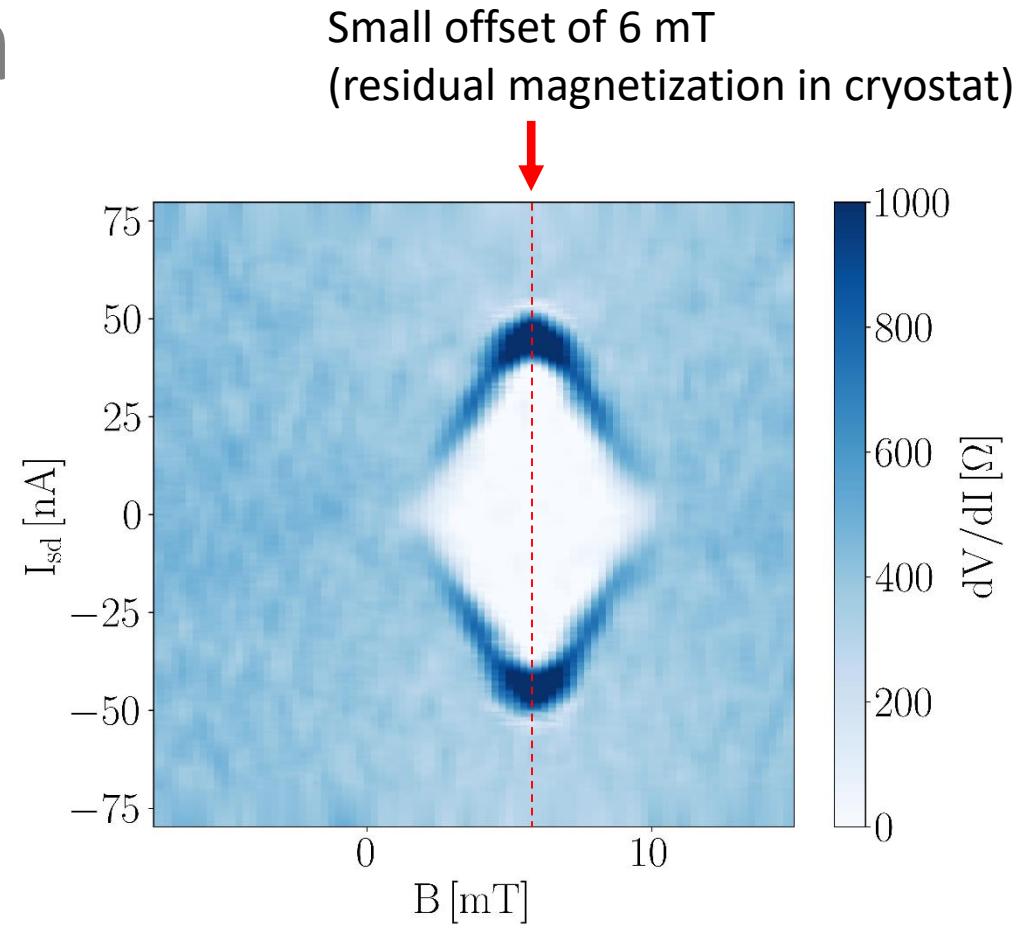
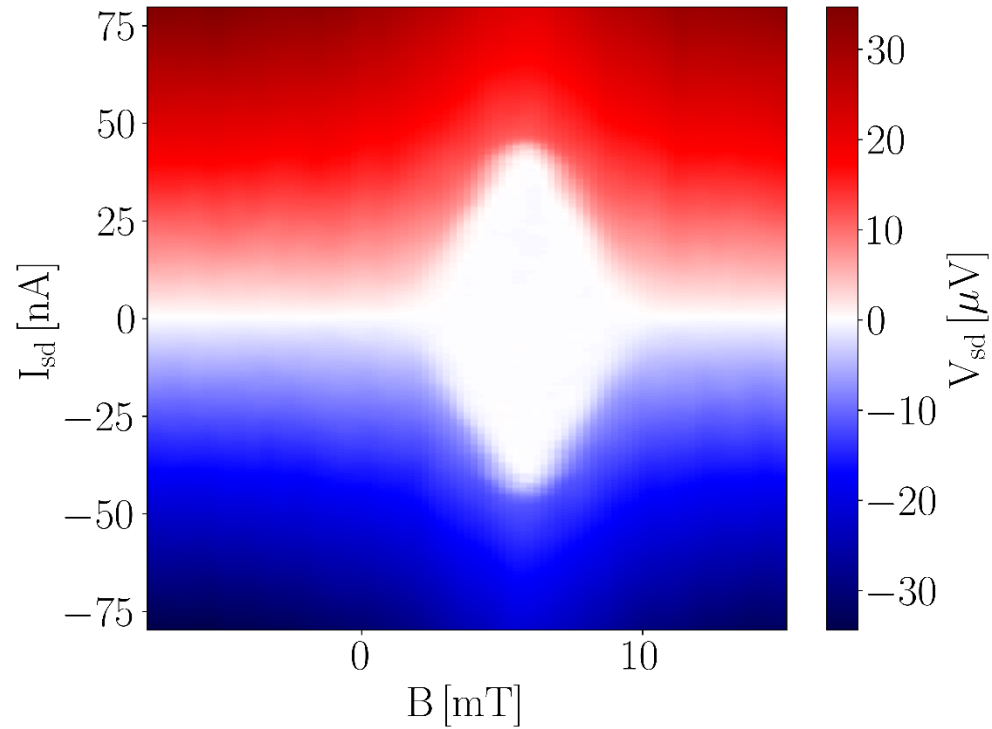
V-I shows supercurrent



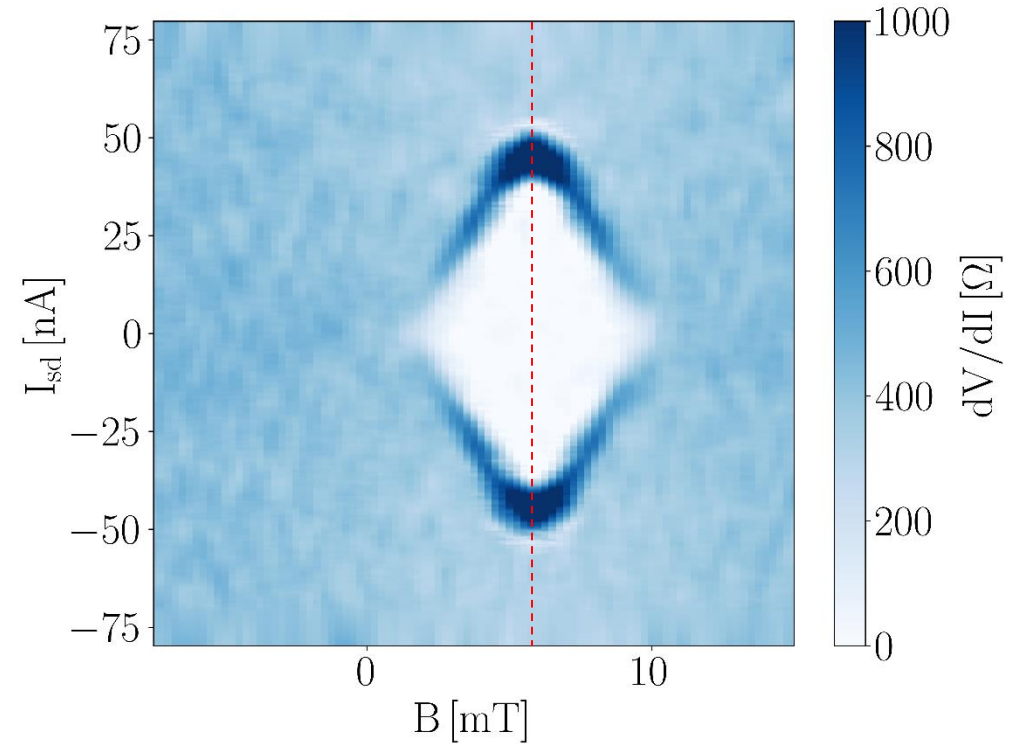
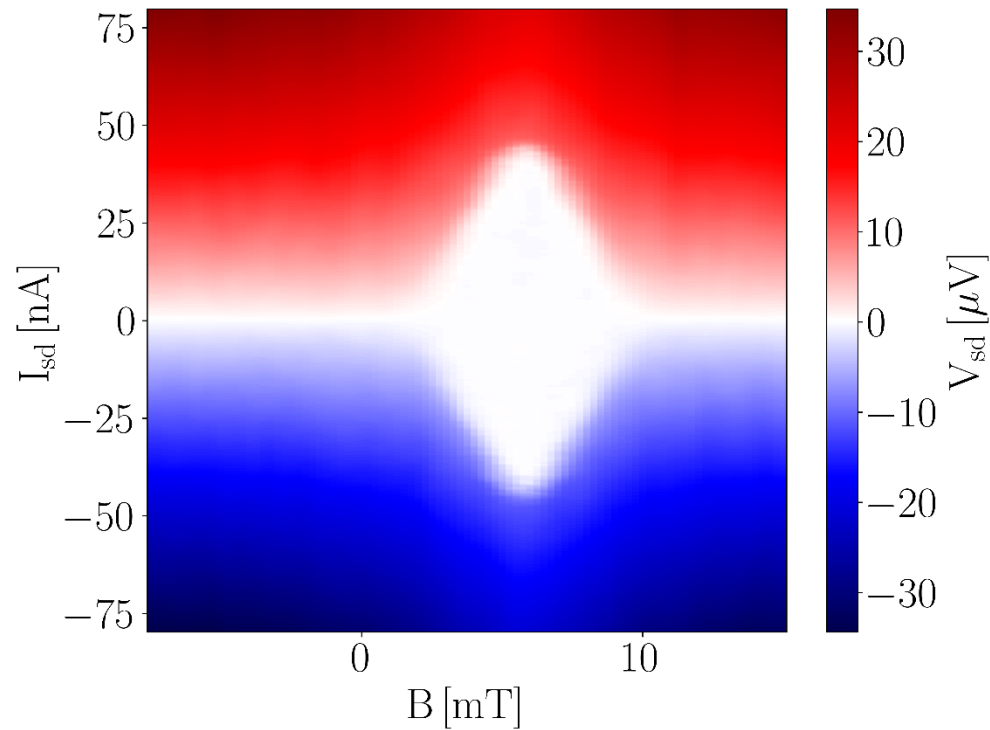
Fraunhofer Pattern



Fraunhofer Pattern



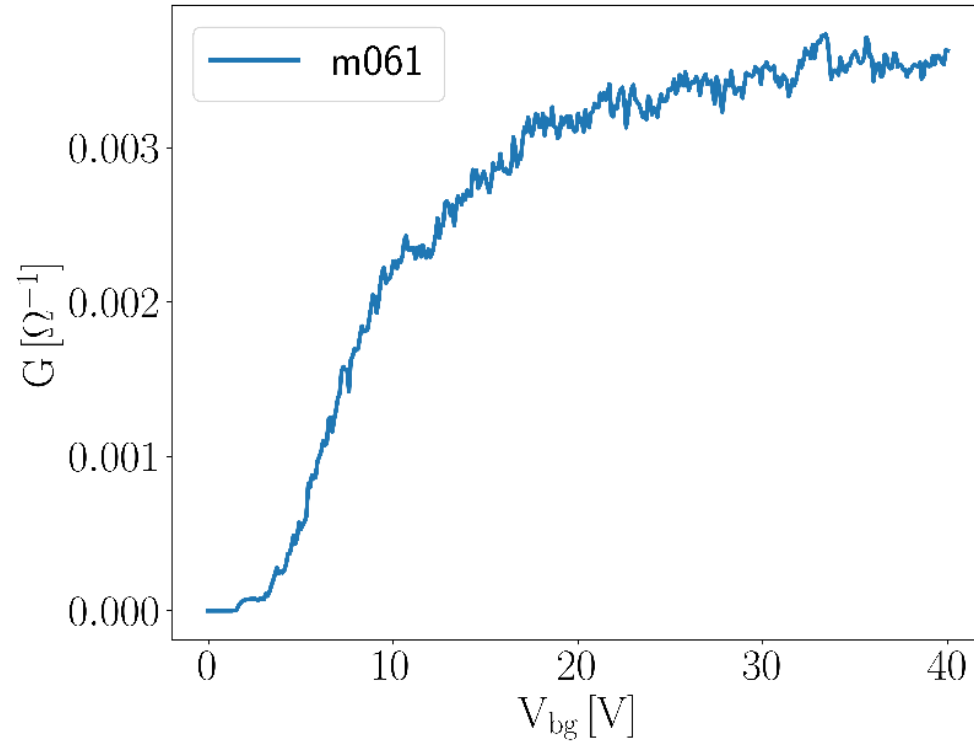
Fraunhofer Pattern



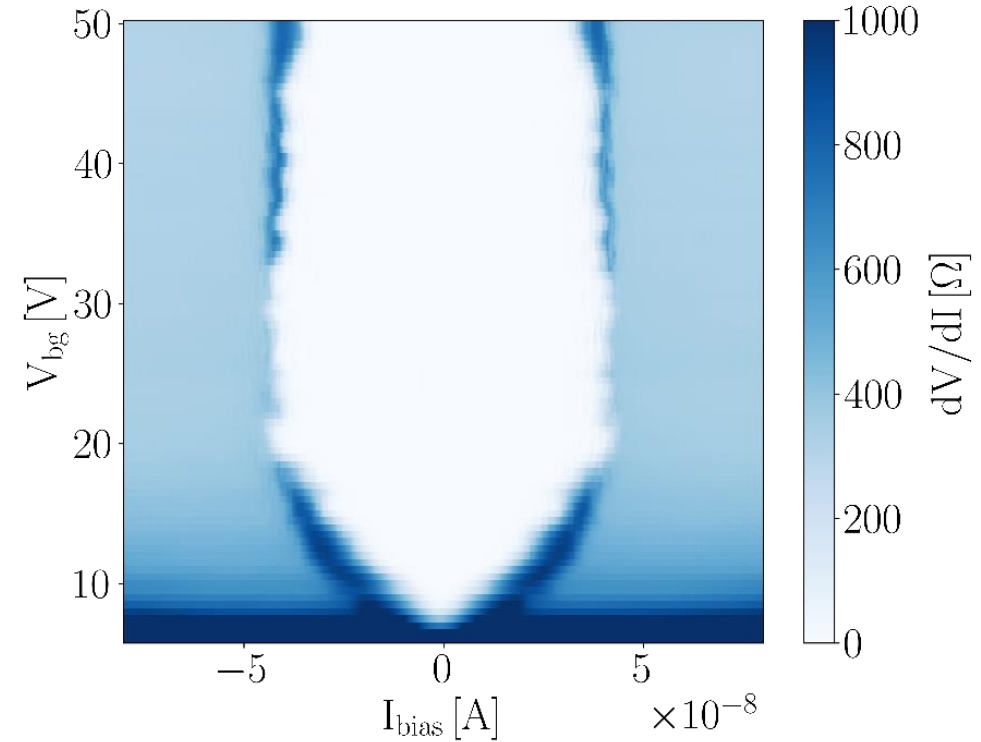
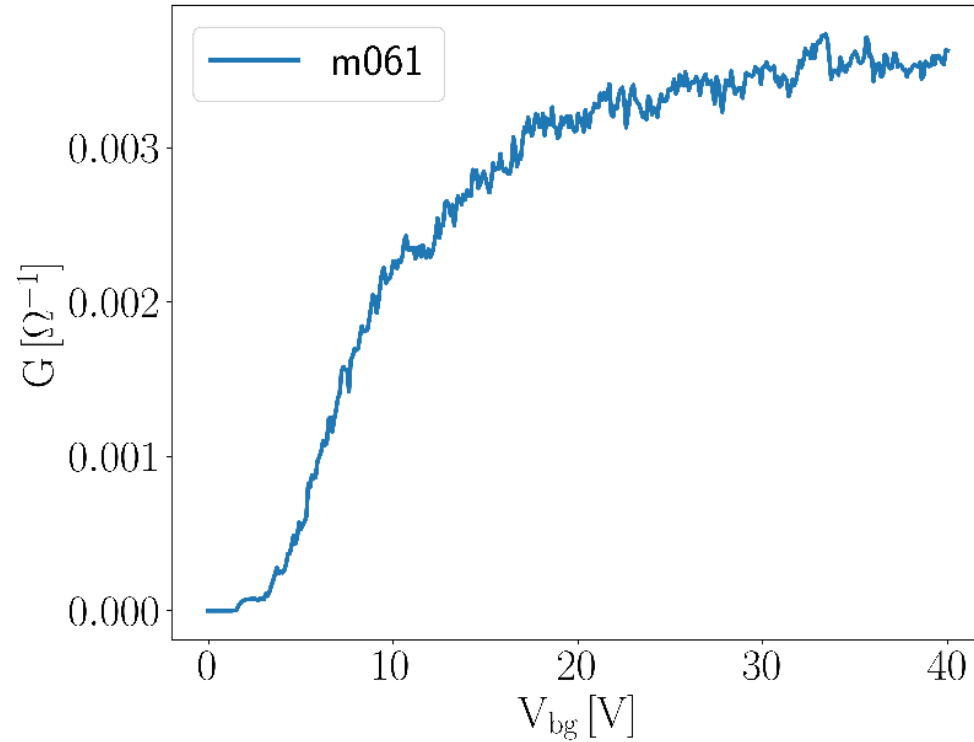
Why no sides lobes in the Fraunhofer pattern?

- Even-odd effect? (de Vries et al., Phys. Rev. Res. 1 (2019) 032031)
- Narrow junction? (Cuevas & Bergeret, Phys. Rev. Lett. 99 (2007) 217002)

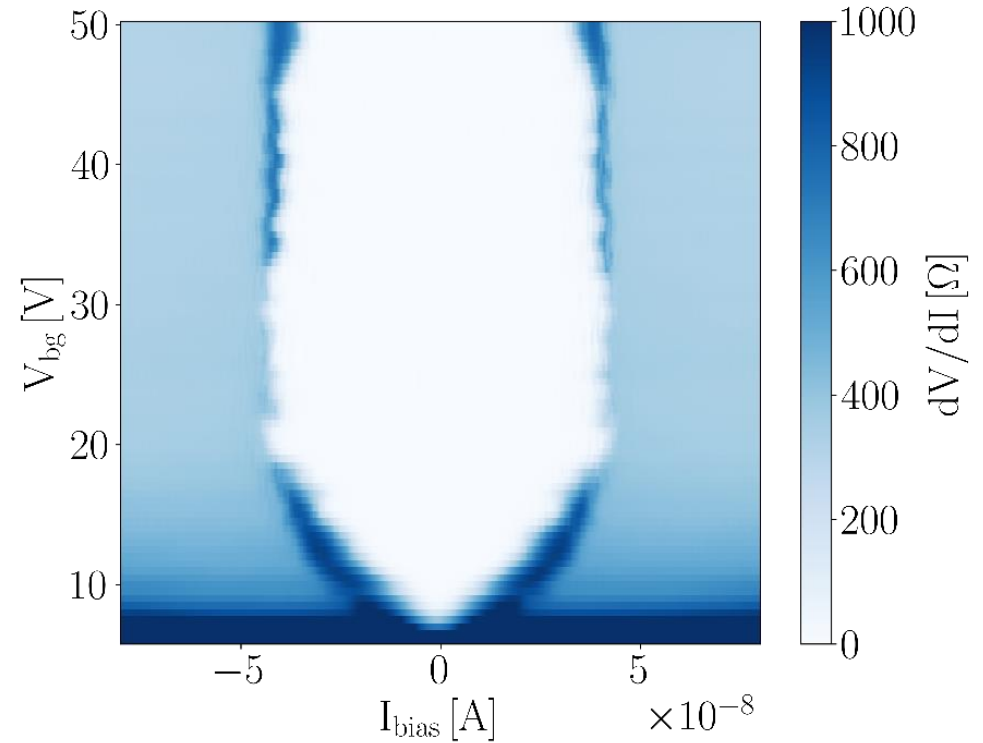
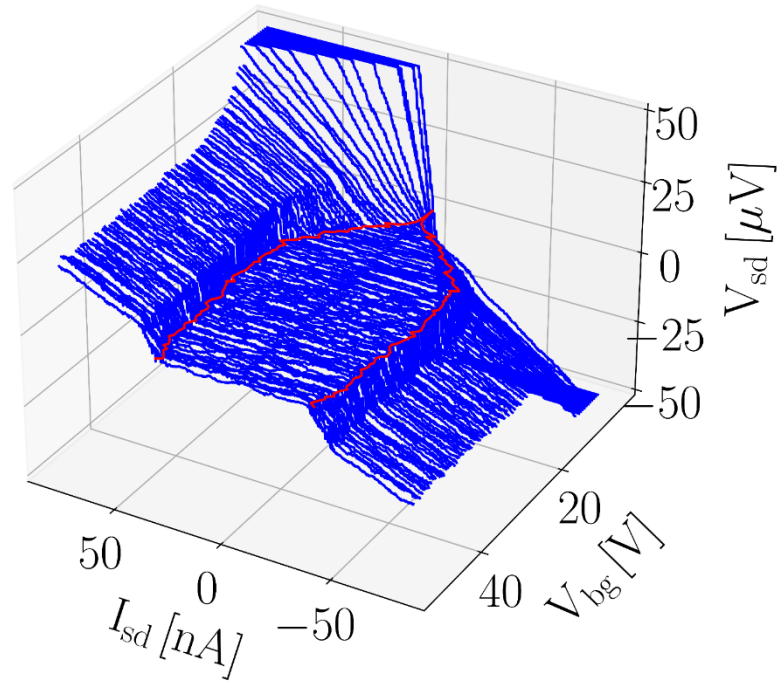
Gate-tunable Supercurrent



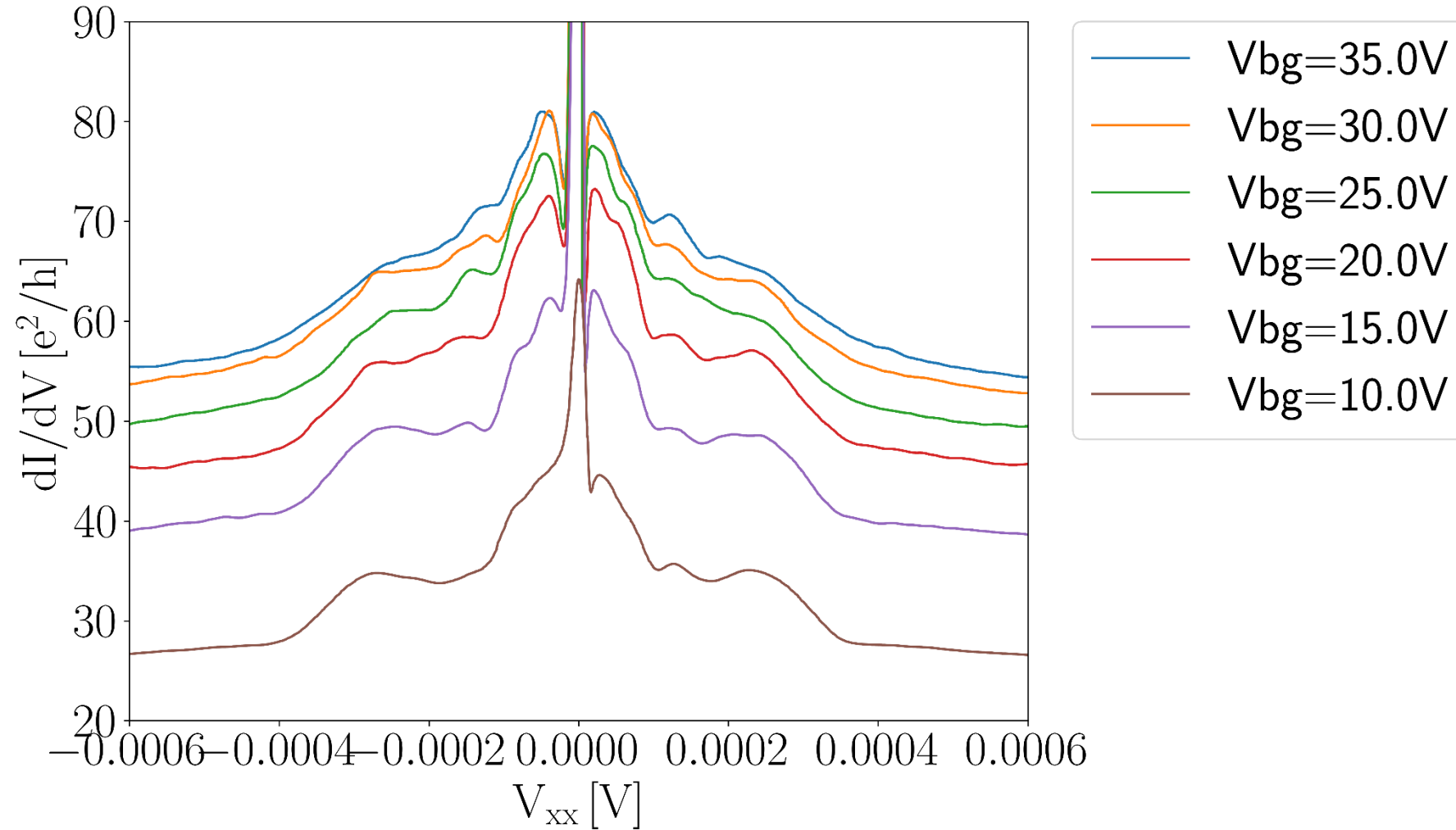
Gate-tunable Supercurrent



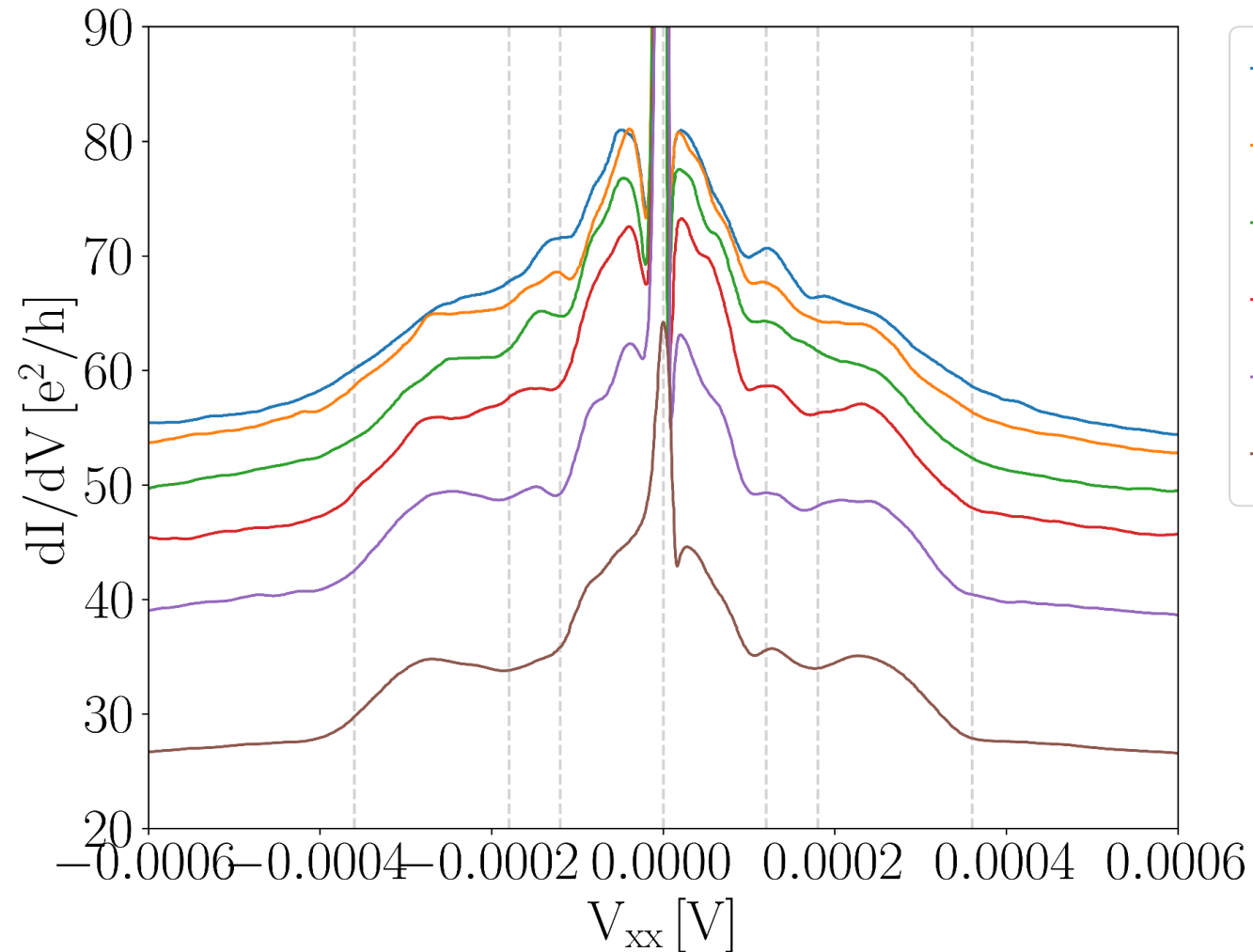
Gate-tunable Supercurrent



Multiple Andreev Reflections (MARs)



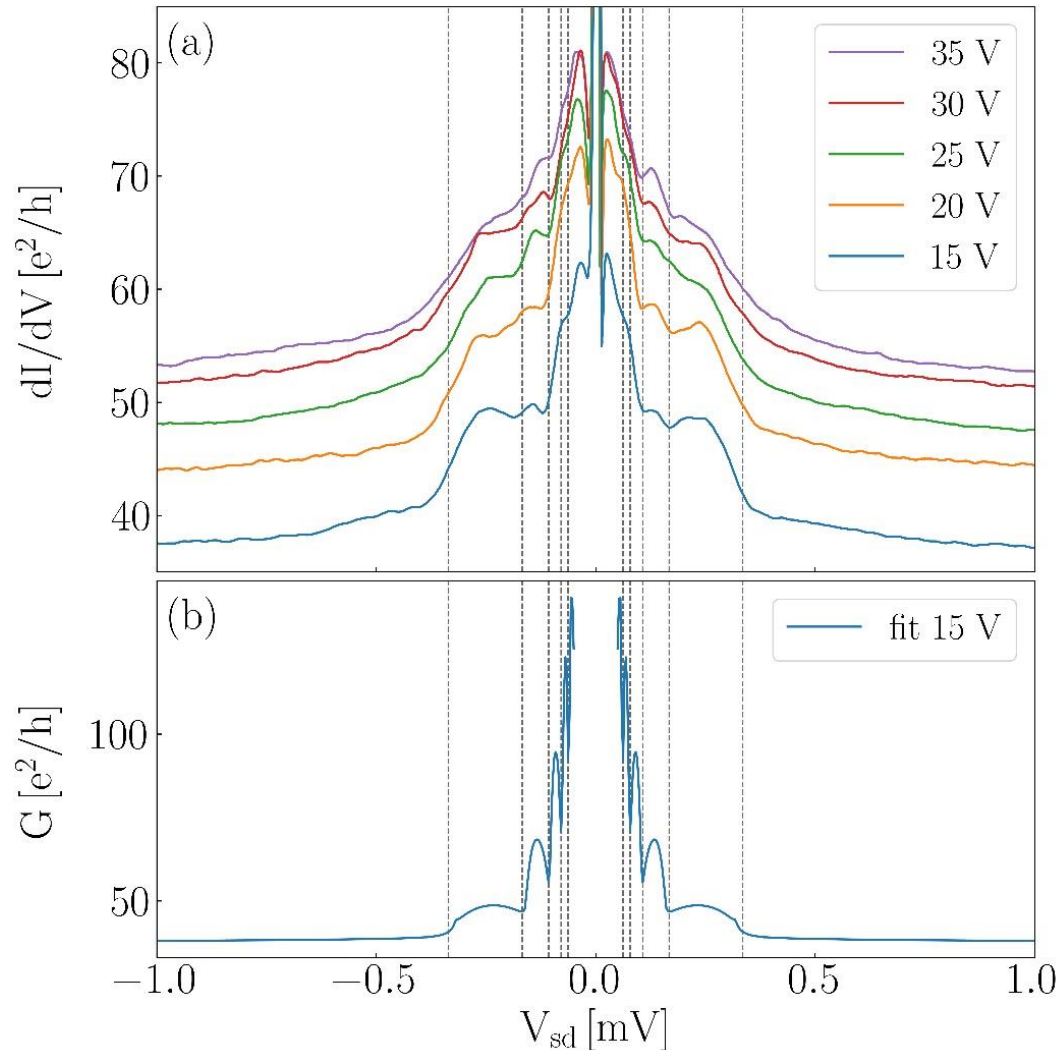
Multiple Andreev Reflections (MARs)



$$eV(n) = 2\Delta^*/n \quad (n=1, 2, 3 \dots)$$

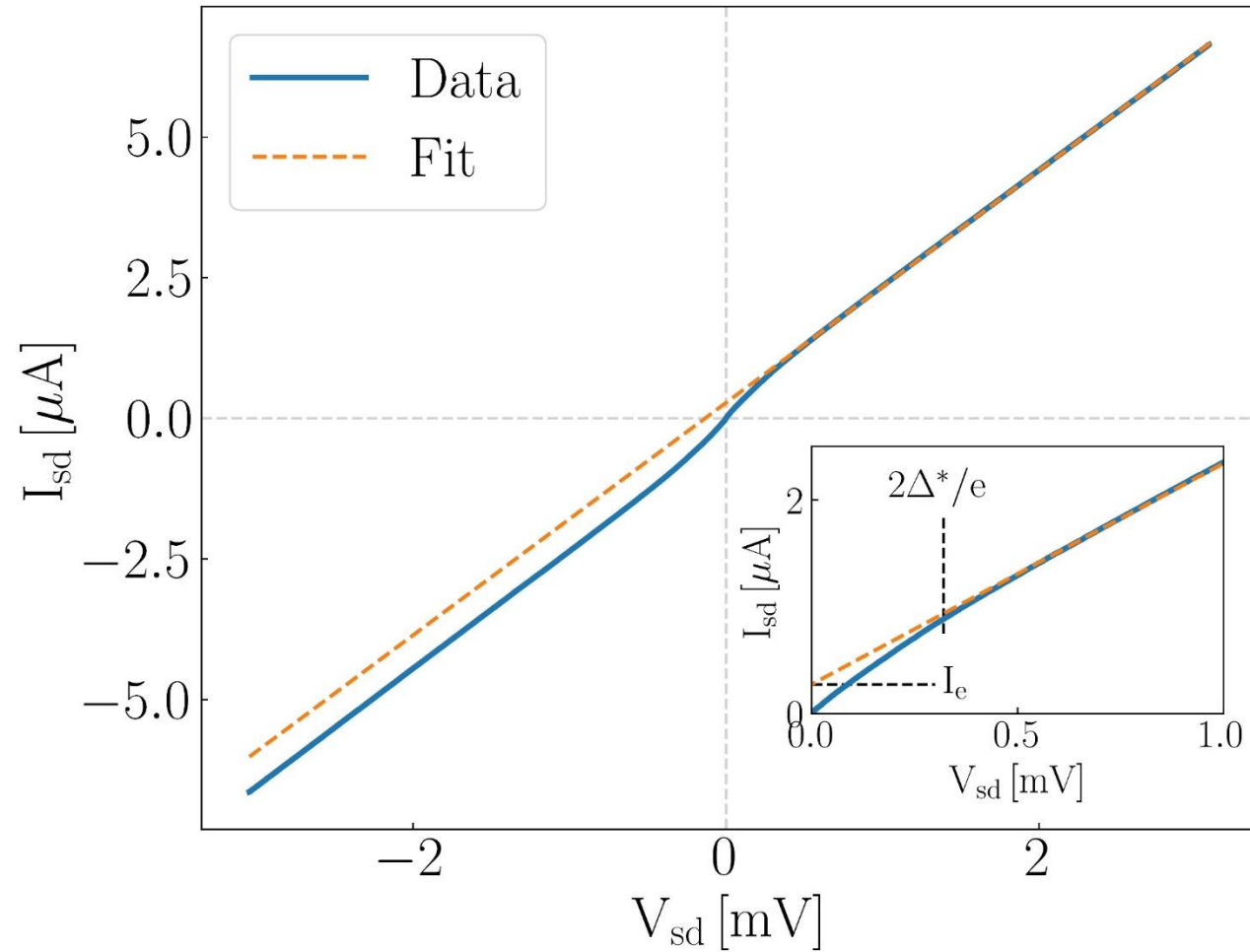
$$\Delta^* \sim 180 \mu eV$$

Multiple Andreev Reflections (MARs)



- Simple scattering model of fully coherent transport.
- Best fit with 40 modes of transparency $Tr = 0.94$.
- Induced gap $\Delta^* = 160 \mu\text{eV}$.
- Consistently, Tr and Δ^* do not change with back gate voltage,
- BUT the number of modes does: it increases from 30 to 50 for V_{bg} from 10 V to 30 V.

Excess Current

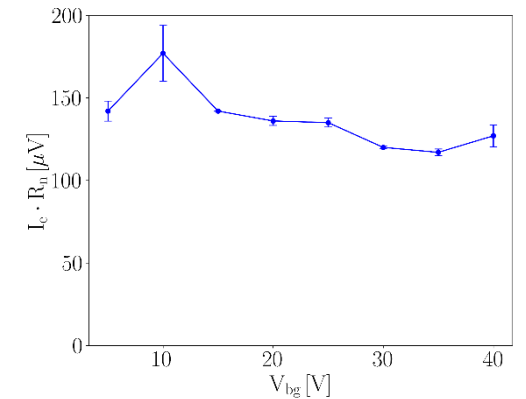


$$V_{bg} = 40 \text{ V}$$

$$I_e = 265 \pm 12 \text{ nA}$$

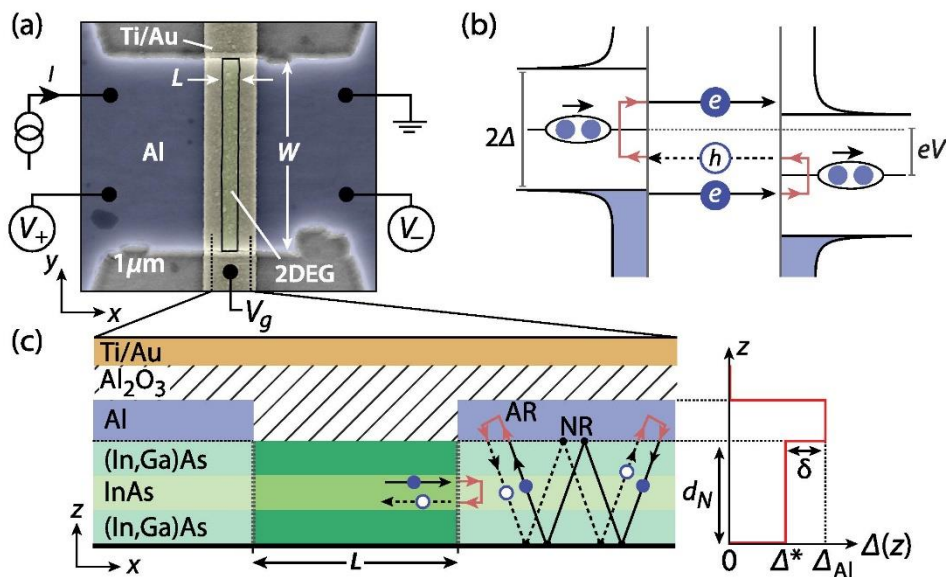
$$R_n = 481 \pm 3 \text{ } \Omega$$

$$I_e R_n = 127 \pm 7 \text{ } \mu\text{V}$$

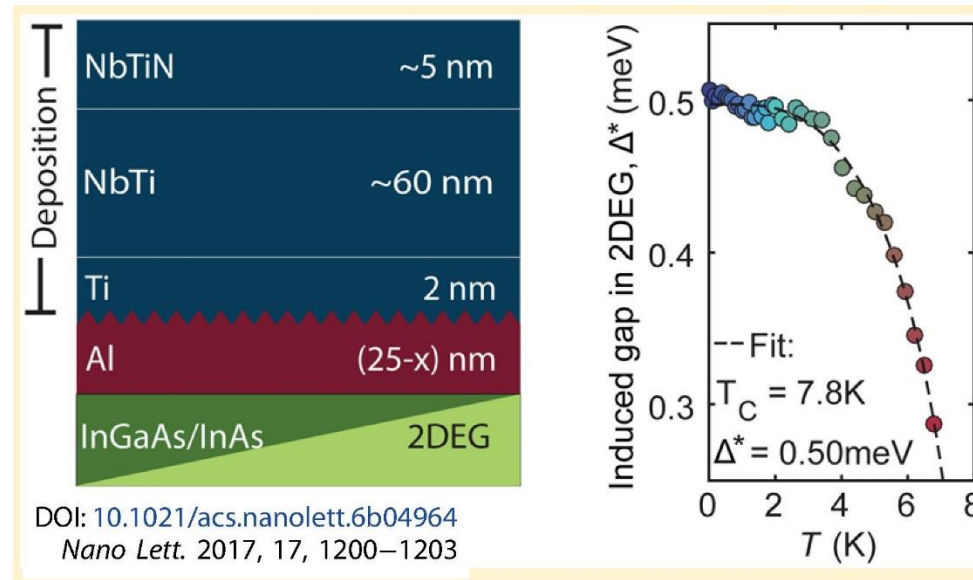


Induced Gap in Semiconductor

PHYS. REV. APPLIED 7, 034029 (2017)



Transfer of proximity via another superconductor

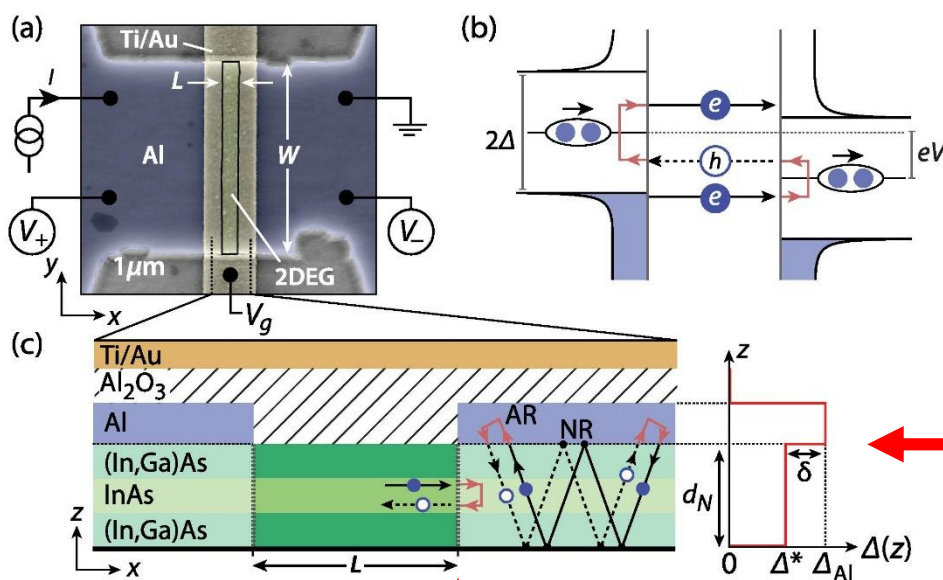


The role of Ti ?

Bulk Ti (CRC Handbook): $T_c = 0.5 \text{ K}$

Induced Gap in Semiconductor

PHYS. REV. APPLIED 7, 034029 (2017)



Why $\Delta^* < \Delta$?

Aminov et al., PRB 53 (1996) 365:

$$\Delta^* = \frac{\Delta}{1 + \gamma_B \sqrt{\Delta^2 - \Delta^{*2}} / (\pi k_B T_C)}$$

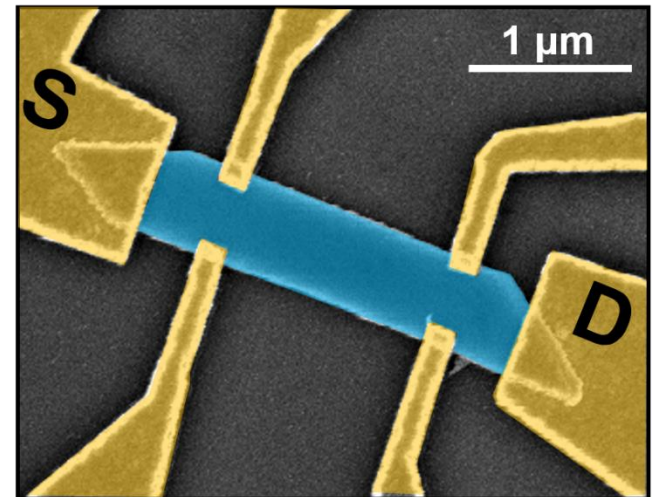
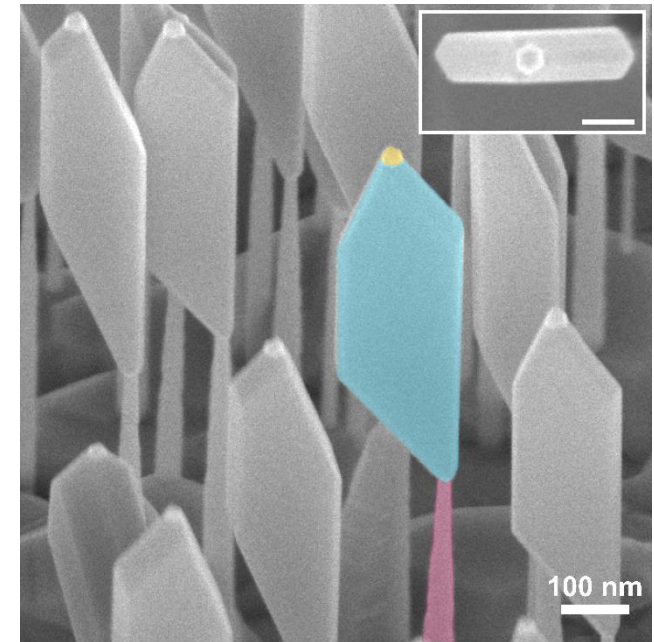
γ_B measures the interface transparency.
 $\gamma_B = 0$ for perfectly transparent interfaces.
 Large γ_B means small transparency.

Here: $\gamma_B \approx 10$.

$Tr = 0.94$,
 consistent with $I_e R_n \approx \Delta^* / e$.

Summary

- Free-standing 2D InSb nanoflags on InP stems
- Length 2.8 μm , Width 470 nm, Thickness 105 nm
- Defect-free zinc blende crystal structure
- High electron mobility 29,500 cm^2/Vs
- Mean free path $\lambda_e \sim 500 \text{ nm}$
- Josephson junctions realized with Nb/Ti contacts
- 50 nA supercurrent & Multiple Andreev Reflections
- Towards topological superconductivity ...



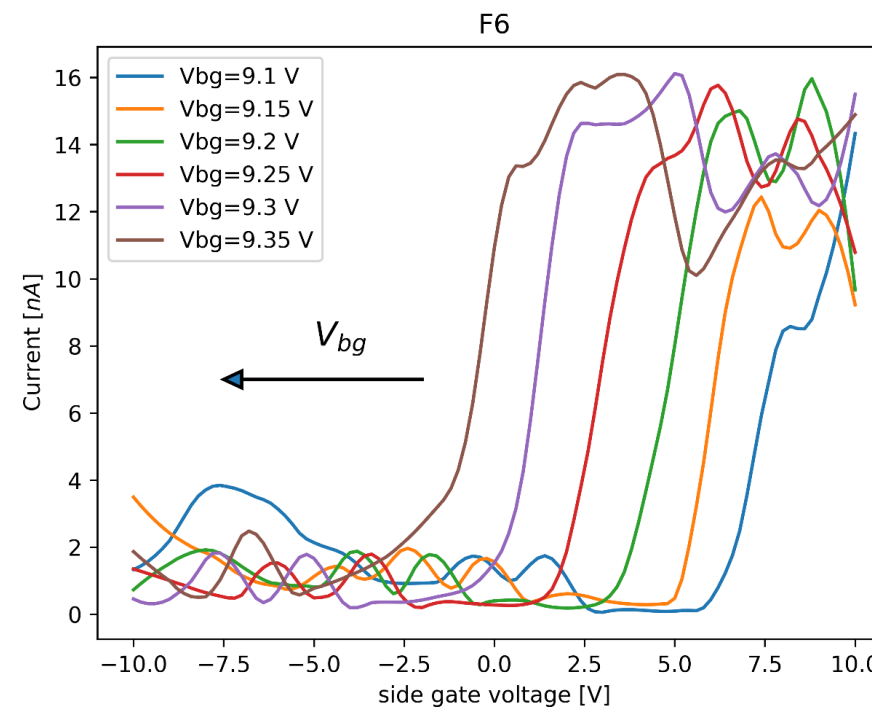
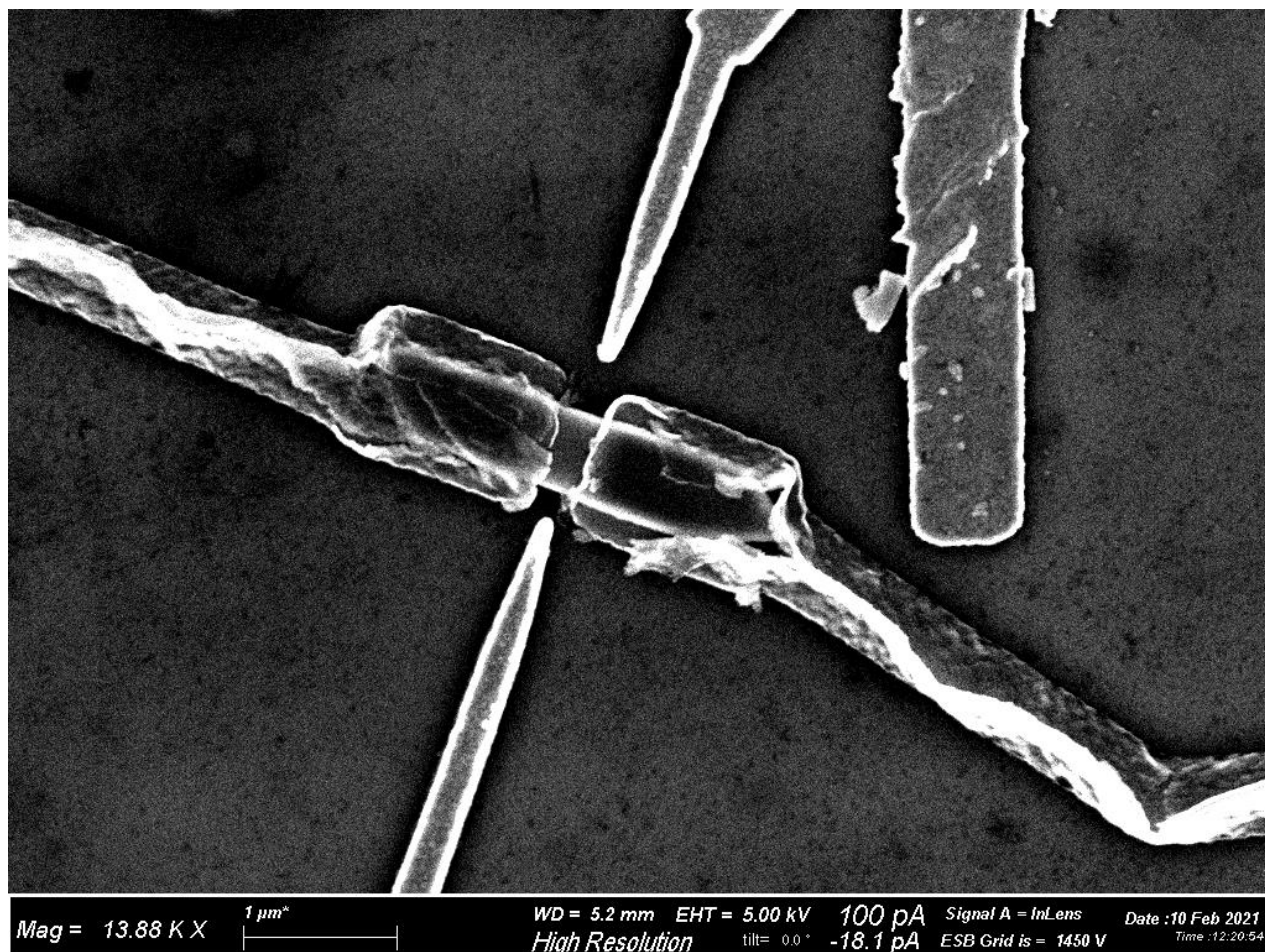
Outlook: JJs with side gates



Bianca Turini



Federico Paolucci



Outlook: SC diode



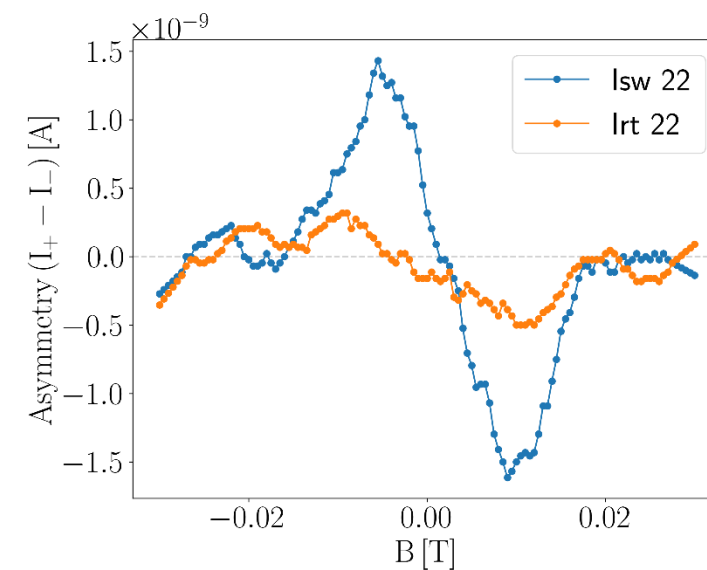
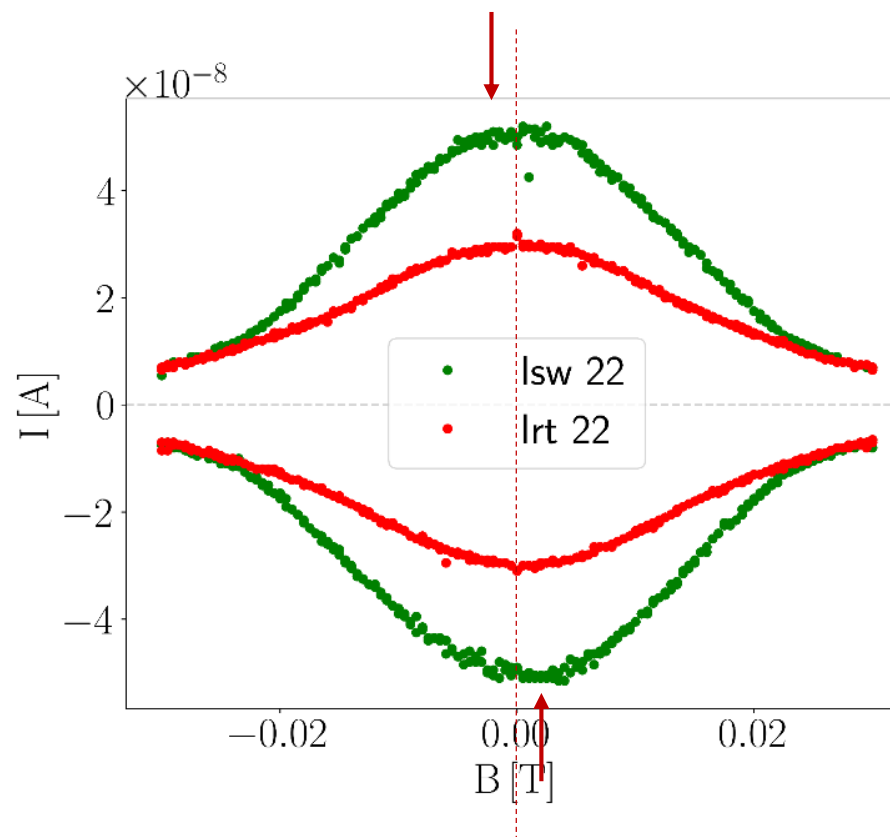
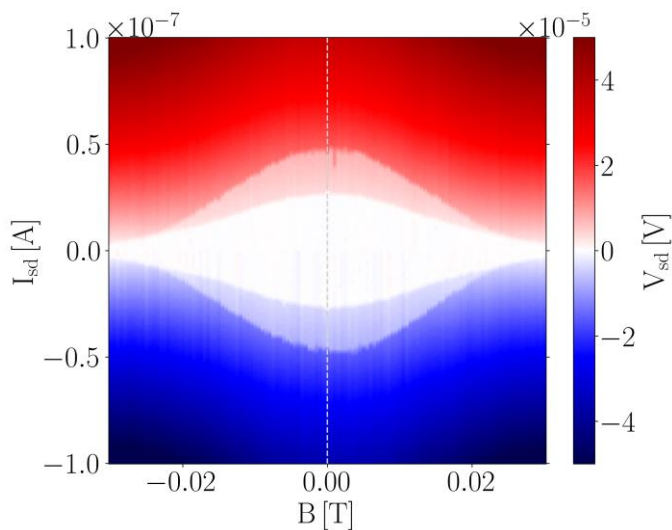
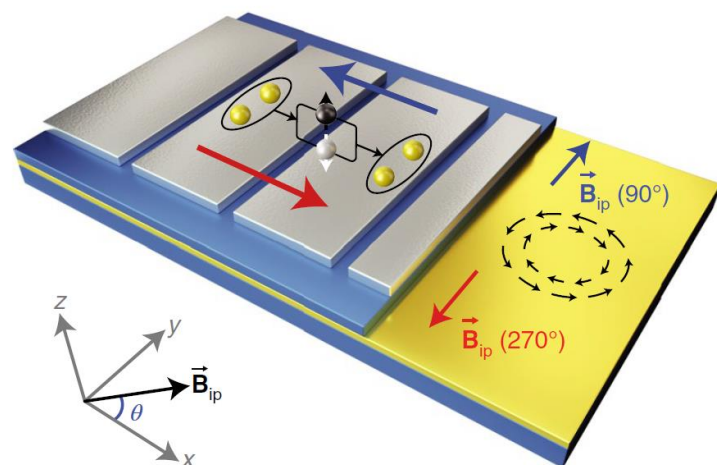
Bianca Turini



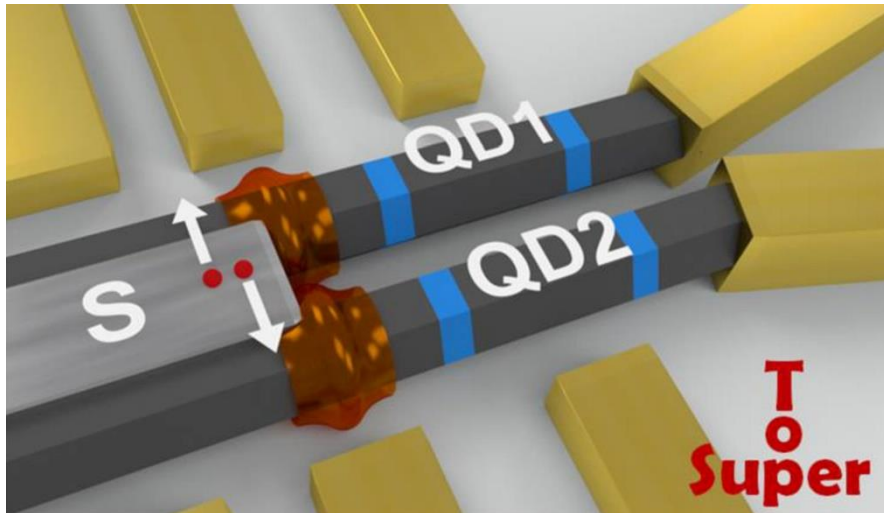
Elia Strambini



Francesco Giazotto



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AndQC

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Thank you for your attention!